

# Cosmic insights from galaxy clusters: Exploring magnification bias on sub-millimetre galaxies

R. Fernández Fernández on behalf of

L. Bonavera, J. González-Nuevo, M.M. Cueli, D. Crespo, J.M. Casas and S. R. Cabo



May 6<sup>th</sup>, 2024  
Jornadas ICTEA

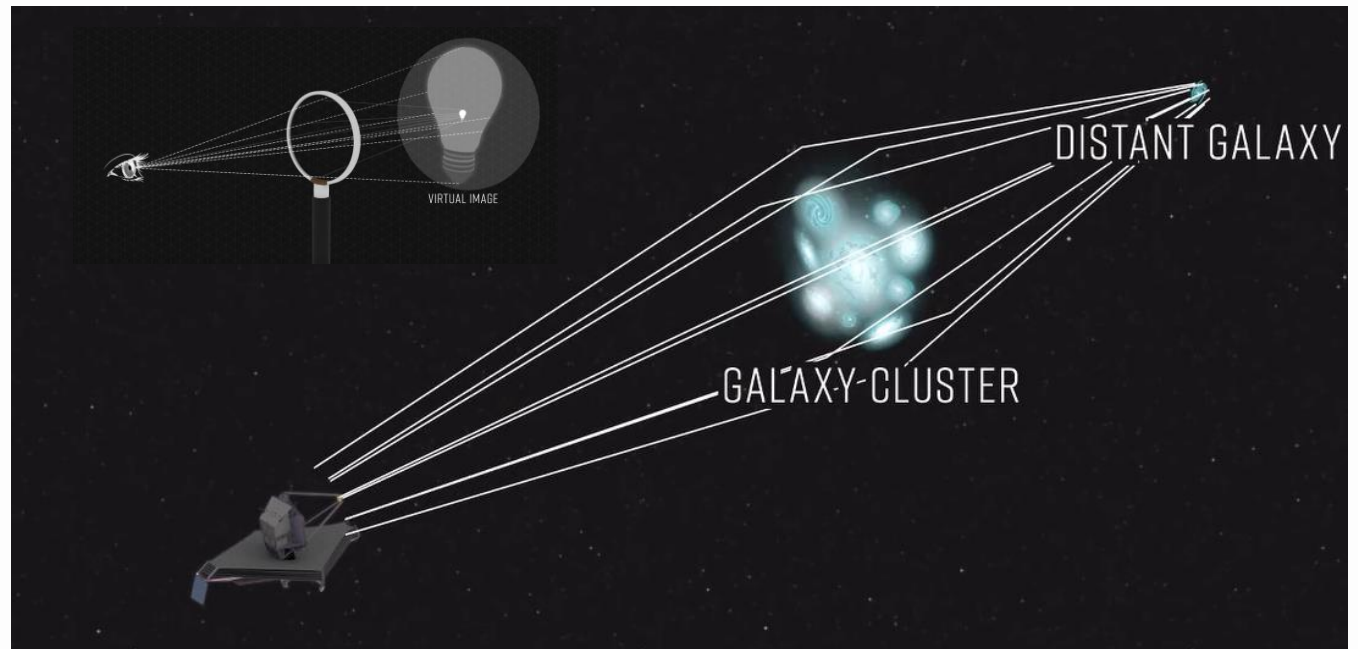


Universidad de  
Oviedo

# GRAVITATIONAL LENSING

Matter acts like a magnifying glass in space, deflecting light rays. Images of the background object will be magnified\* and distorted.

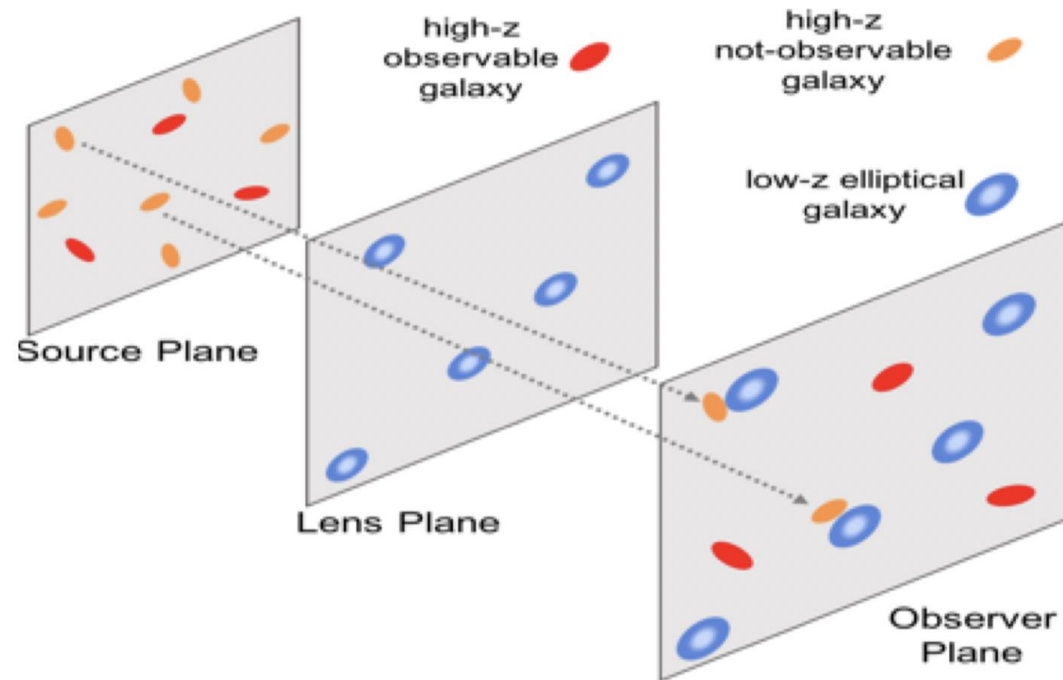
It is a prediction of  
General Relativity  
↓  
**cosmological tool**



Credits: JWST

# MAGNIFICATION BIAS

Weak lensing effect that increases the background source number counts around the lenses' positions.



See Bonavera et al. (2022)

# CROSS-CORRELATION

Magnification bias induces a cross-correlation, purely produced by magnification bias if the samples do not overlap in redshift.

•

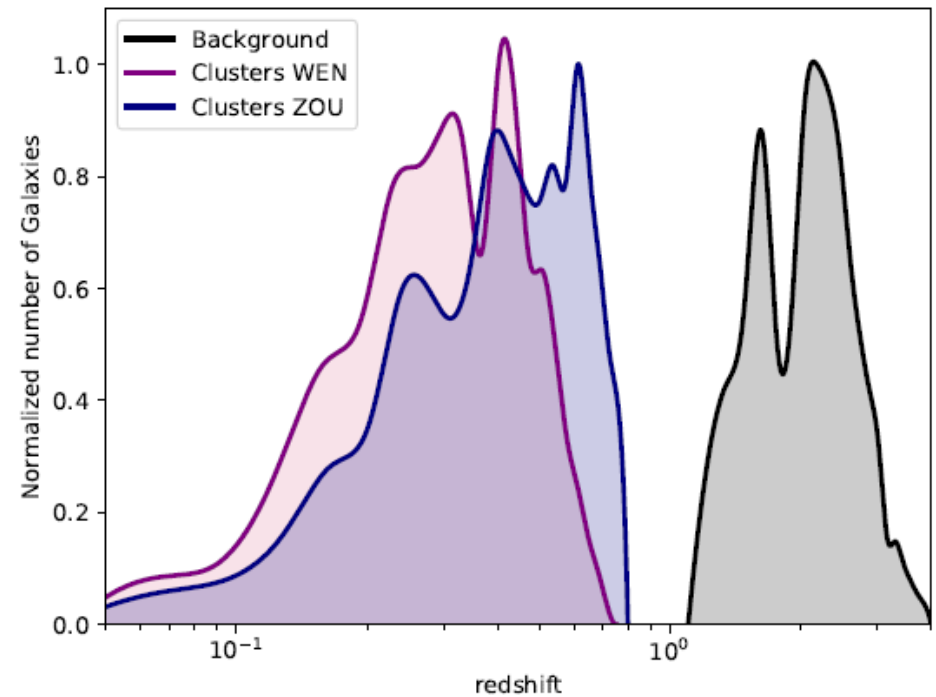
$$w_{fb}(\theta) \equiv \langle \delta n_f^c(\phi) \delta n_b^\mu(\phi + \theta) \rangle$$

clustering  
amplification

In weak lensing regime:

$$\delta n_b^\mu(\theta) \approx 2(\beta - 1)\kappa(\theta) \longleftarrow \text{Halo model (Coorey and Sheth, 2002)}$$

$w_{fb}(\theta) \equiv w_{fb}(\theta; \text{cosmology}, \text{HOD})$



# MEASUREMENTS

## CROSS-CORRELATION ESTIMATOR

Measures the excess probability wrt random at a given angular separation (pair counts).

$$\tilde{w}_{fb}(\theta) = \frac{D_f D_b(\theta) - D_f R_b(\theta) - D_b R_f(\theta) + R_f R_b(\theta)}{R_f R_b(\theta)}$$

Landy & Szalay (1993); Herranz et al. (2001).

## MCMC

Constraints on HOD and cosmological parameters were obtained via MCMC.

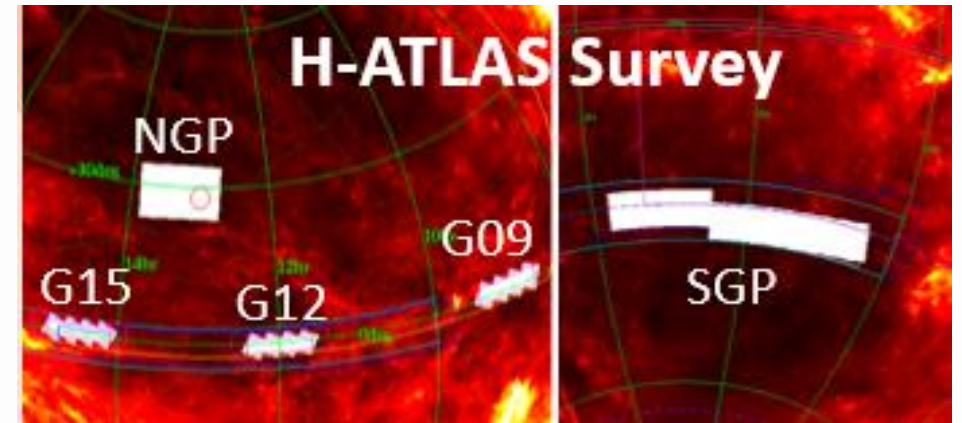
Astro		Cosmo	
Parameter	Prior	Parameter	Prior
$\log M_{\min}$	$\mathcal{U}[12.5-15.5]$	$\Omega_m$	$\mathcal{U}[0.1-0.8]$
$\log M_1$	$\mathcal{U}[12.6-15.6]$	$\sigma_8$	$\mathcal{U}[0.6-1.2]$
$\alpha$	$\mathcal{U}[0.5-1.5]$	$h$	$\mathcal{U}[0.5-1.0]$
$\beta$	$\mathcal{N}[2.8, 0.1]$		

# DATA:BACKGROUND

SMGs observed by Herschel Space Observatory in the **H-ATLAS** survey (Rigby et al. 2011, Valiante et al. 2016).

Optimal properties for lensing:

1. High redshift distribution ( $z > 1$ )
2. Steep source number counts ( $\beta \sim 3!$ )
3. Fairly invisible in the optical band (minimum cross-contamination)



Eales et al. 2010

- Area:  $\sim 327 \text{ deg}^2$
- $\sim 57000$  galaxies
- $1.2 < z < 4.0$  (photometric)
- $\langle z \rangle = 2.2$

# LENSES:

## ZOU CATALOGUE (ZOU ET AL. 2021)

Cluster catalogue based on DESI (Dark Energy Spectroscopic Instrument) legacy imaging surveys.

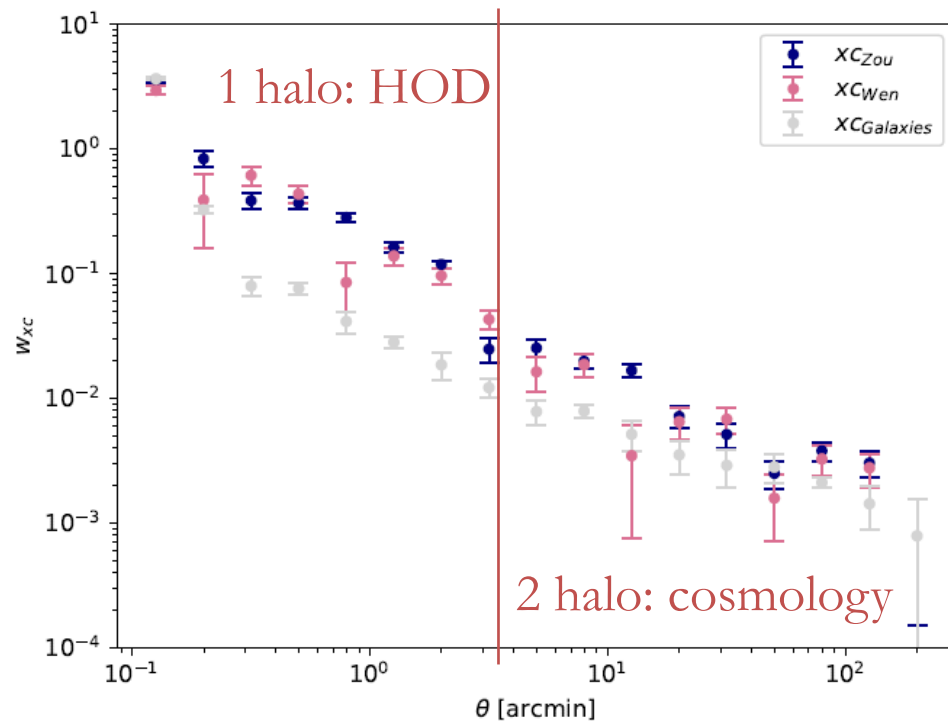
- Clusters:  $\sim 9000$
- $z < 0.8$ ,  $\langle z \rangle = 0.50^{+0.24}_{-0.30}$

## WEN CATALOGUE (WEN ET AL. 2012)

Cluster catalogue extracted from SDSS-III.

- Clusters:  $\sim 3600$
- $z < 0.8$ ,  $\langle z \rangle = 0.38^{+0.23}_{-0.22}$

# RESULTS: CROSS-CORRELATION



- Stronger signal (in low-mid angular distances)  $\rightarrow$  mass.
- More pronounced one-halo to two-halo regime transition (2-3 arc-min,  $\sim 1$ Mpc)
- Increased signal at angular scales  $> 60$  arcmin (detected in González-Nuevo et al. 2023, Cueli et al. 2024).

In grey results from Cueli et al. 2024, where a sample of  $\sim 150000$  galaxies (GAMA II survey) was used as lenses.

Sampling variance? Large-scale structure?

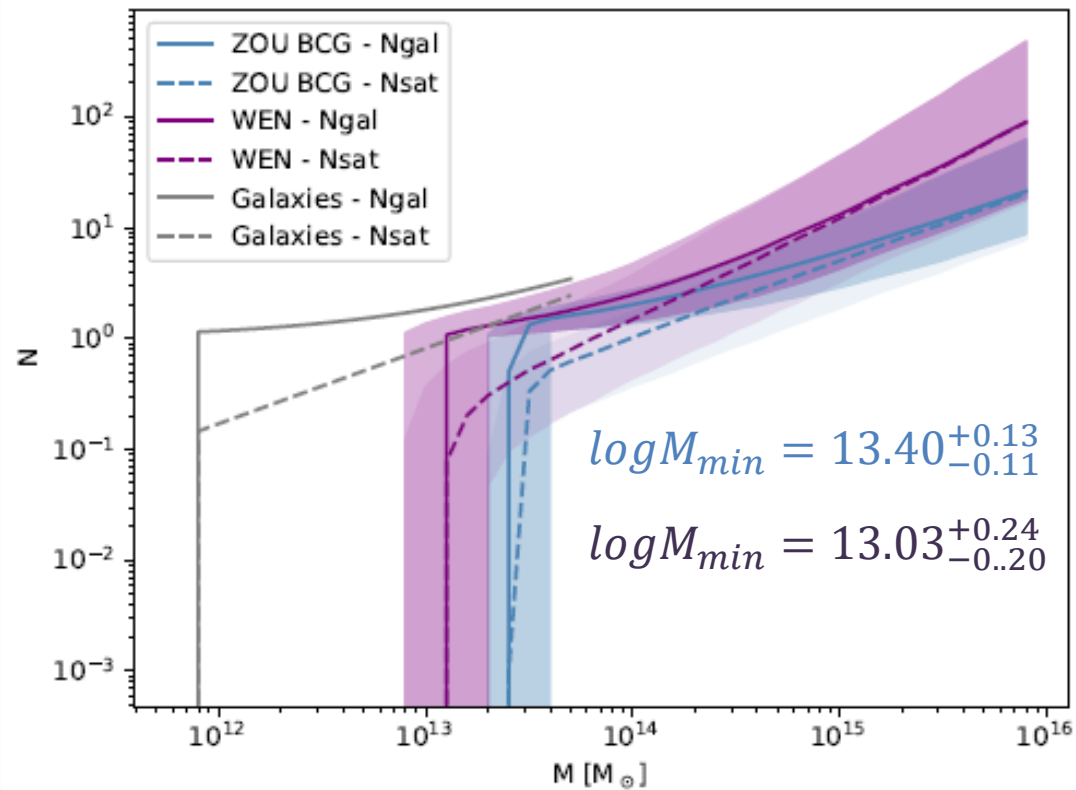


# RESULTS

- Constraints on HOD parameters are **consistent with the catalogue** characteristics **and** the cosmological parameters are compatible with current **cosmological models**.
- With WEN catalogue, distributions are broader due to more limited statistics, but  **$\sigma_8$  is effectively constrained**.

Parameter	ZOU			ZOU: no large scales			WEN cluster: all data			WEN cluster: no large scales		
	Mean	Mode	68% CI	Mean	Mode	68% CI	Mean	Mode	68% CI	Mean	Mode	68% CI
$\log M_{\min}$	13.18	13.15	[13.09, 13.28]	13.40	13.43	[13.29, 13.53]	12.91	12.94	[12.75, 13.09]	13.03	13.07	[12.83, 13.27]
$\log M_1$	14.03	13.55	[13.25, 14.33]	14.07	13.79	[13.48, 14.27]	14.19	14.00	[13.43, 14.73]	13.81	13.62	[13.14, 14.20]
$\alpha$	0.76	–	[0.50, 0.81]	0.75	–	[0.50, 0.80]	0.97	–	[0.50, 1.50]	0.97	–	[0.5, 1.13]
$\Omega_m$	0.19	0.16	[0.15, 0.21]	0.27	0.25	[0.20, 0.32]	0.21	0.20	[0.17, 0.24]	0.41	0.27	[0.18, 0.52]
$\sigma_8$	0.85	–	[0.60, 0.94]	0.76	–	[0.60, 0.79]	0.86	0.77	[0.66, 0.99]	0.84	0.76	[0.62, 0.93]
$h$	0.72	–	[0.50, 0.81]	0.67	–	[0.50, 0.71]	0.72	–	[0.50, 0.80]	0.73	–	[0.50, 0.81]
$\beta$	2.79	2.80	[2.69, 2.89]	2.79	2.70	[2.79, 2.90]	2.80	2.81	[2.71, 2.90]	2.79	2.81	[2.70, 2.90]

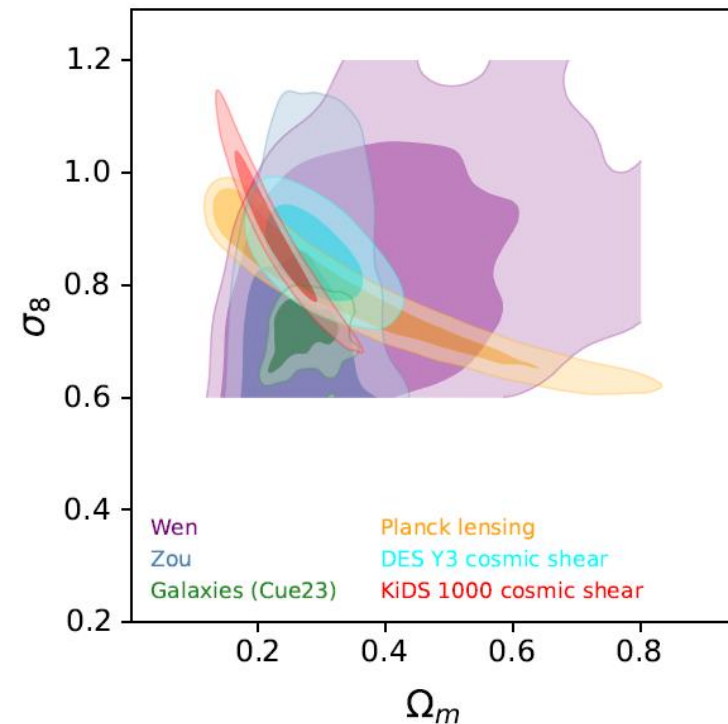
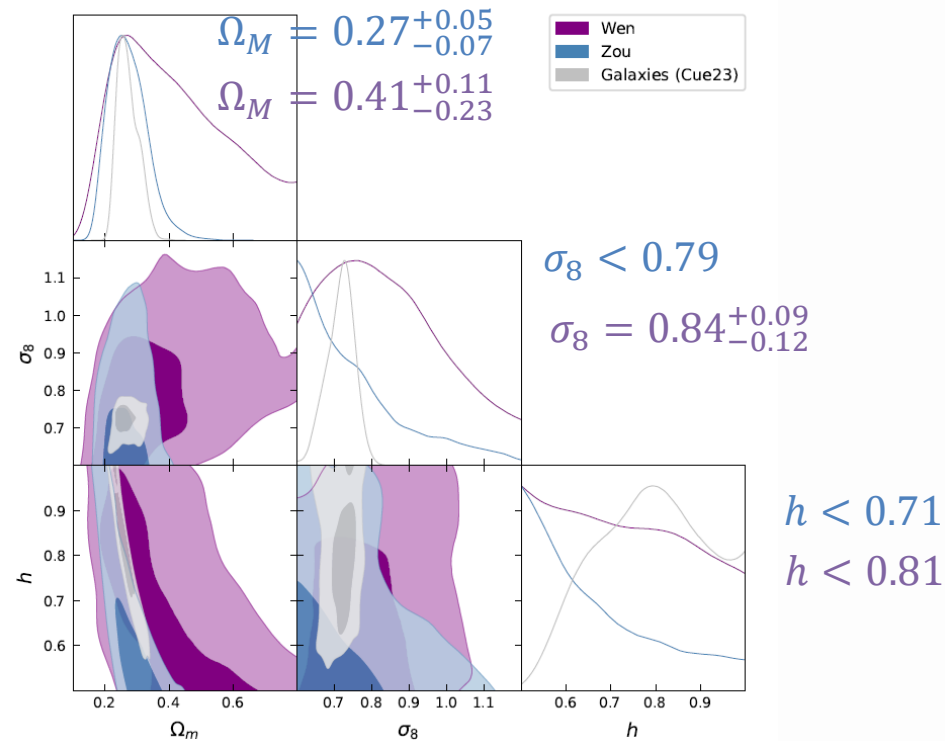
# RESULTS: HOD



- Estimation of the minimum halo mass ( $M_{min} > 10^{13} M_{\odot}$ ) consistent with literature.
- $M_{min}$  estimated for the WEN smaller than that for ZOU, consistent with previous studies (Crespo et al. 2024).
- Lensing is primarily driven by the central galaxies + secondary massive satellites, rather than the collective halo mass.

# RESULTS: COSMOLOGICAL PROBE

Constraints established on cosmological parameters remain consistent across both cluster datasets. Cluster-based results only provide rough upper limits on  $h$ .



# CONCLUSIONS AND NEXT STEPS

---

Despite the relatively low amount of available lenses, constraints consistent with prevailing consensus values were obtained by studying the magnification bias produced by galaxy clusters on SMGs.

Further work to be done:

- Better understanding of systematics.
- Statistics → increase the covered areas.

*Thanks!*

# THEORETICAL MODEL:

## MagBias:

$$n_0(> S, z) = AS^{-\beta}$$

$$n(> S, z; \vec{\theta}) = \frac{1}{\mu(\vec{\theta})} n_0\left(> \frac{S}{\mu(\vec{\theta})}, z\right) \quad \frac{n(> S, z; \vec{\theta})}{n_0(> S, z)} = \mu^{\beta-1}(\vec{\theta})$$

## Cross-correlation function:

$$w_{fb} = 2(\beta - 1) \int_0^{z_s} \frac{dz}{\chi^2(z)} \frac{dN_f}{dz} W^{lens}(z) \int_0^\infty \frac{ldl}{2\pi} P_{gal-dm}(l/\chi^2(z), z) J_0(l\theta),$$

where

$$W^{lens}(z) = \frac{3}{2} \frac{H_0^2}{c^2} E^2(z) \int_z^{z_s} dz' \frac{\chi(z)\chi(z' - z)}{\chi(z')} \frac{dN_b}{dz'}$$

## Halo Model:

$$P_{g-dm}(k, z) = P_{g-dm}^{1h}(k, z) + P_{g-dm}^{2h}(k, z) \quad \text{Cooray \& Sheth (2002)}$$

$$P_{g-dm}^{1h}(k, z) = \int_0^\infty dM M \frac{n(M, z)}{\bar{\rho}(z)} \frac{\langle N_g \rangle_M}{\bar{n}_g(z)} |u_{dm}(k, z|M)| |u_g(k, z|M)|^{p-1}$$

$$P_{g-dm}^{2h}(k, z) = P_{mm}^{lin}(k, z) \left[ \int_0^\infty dM M \frac{n(M, z)}{\bar{\rho}(z)} b_1(M, z) u_{dm}(k, z|M) \right] \cdot \left[ \int_0^\infty dM n(M, z) b_1(M, z) \frac{\langle N_g \rangle_M}{\bar{n}_g(z)} u_g(k, z|M) \right]$$

## HOD Model:

$$N_{cen}(M_h) = \begin{cases} 0 & \text{if } M_h < M_{min} \\ 1 & \text{otherwise} \end{cases} \quad N_{sat}(M_h) = N_{cen}(M_h) \cdot \left( \frac{M_h}{M_1} \right)^{\alpha_{sat}}$$

## DE Model:

$$\omega(z) = \omega_0 + \omega_a \frac{z}{1+z}$$

$$E(z) \equiv \sqrt{\Omega_M(1+z)^3 + \Omega_{DE}f(z)},$$

$$f(z) = (1+z)^{3(1+\omega_0+\omega_a)} e^{-3\omega_a \frac{z}{1+z}}$$