

Neuromorphic Computing Based Advances in Calorimetry

and the design of the next generation of calorimeters

2nd Jornadas del ICTEA, Oviedo

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If you are reading this as a web page: have fun! If you are reading this as a PDF: please visit

https://www.hep.uniovi.es/vischia/persistent/2025-06-19_NeuromorphicReadoutAtSecond.html

to get the version with working animations.

NeuroMODE

- **New investigation line I opened here in 2023** with my Ramón y Cajal (RYC2021 "NeuroMODE").
 - **11 bachelor, 2 master's, 1 PhD theses so far**
 - Several international internships
- At the intersection of **neurosciences, computer sciences, and physics**
 - Neuromorphic computing
 - Quantum machine learning
 - Experiment design (*if you can build it, we can optimize it*. So far HEP, muon tomography, astrophysics, nuclear physics)
-

Latest publication highlights

- M. Pereira Martínez, X. Cid Vidal, Pietro Vischia, "Automatic Optimization of a Parallel-Plate Avalanche Counter with Optical Readout", *Particles* 2025, 8(1), 26 ([10.3390/particles8010026](#), [2503.02538](#))
- P. Vischia, 2025, "AI-assisted design of experiments at the frontiers of computation: methods and new perspectives", *Proceedings of Science* 476, ICHEP2024, 1022 (2025) ([10.22323/1.476.1022](#))
- S. Sánchez Cruz, M. Kolosova, C. Ramón Álvarez, G. Petrucciani, P. Vischia, 2024, "Equivariant neural networks for robust CP observables", *Phys. Rev. D* 110, 096023 ([10.1103/PhysRevD.110.096023](#));
- T. Dorigo et al. (PV), "Artificial Intelligence in Science and Society: The Vision of USERN", *IEEE Access* 2025 (13) 15993-16054, [10.1109/ACCESS.2025.3529357](#)

Latest preprints

- E. Lupi et al. (PV), "Neuromorphic Readout for Hadron Calorimeters", submitted to *Particles*, [2502.12693](#)
- A. De Vita et al. (PV), "Hadron Identification Prospects With Granular Calorimeters", submitted to *Particles*, [2502.10817](#)
- K. Schmidt et al. (PV), "End-to-End Detector Optimization with Diffusion models: A Case Study in Sampling Calorimeters", submitted to *Particles*, [2502.02152](#)
- K. G. Barman et al. (PV), "Large Physics Models: Towards a collaborative approach with Large Language Models and Foundation Models", submitted to *Nature physics roadmap*, [2501.05382](#)

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- **One COST action just funded:** [CA24146](#), "Machine Learning and Quantum Computing for Future Colliders" (MLQC4FC)

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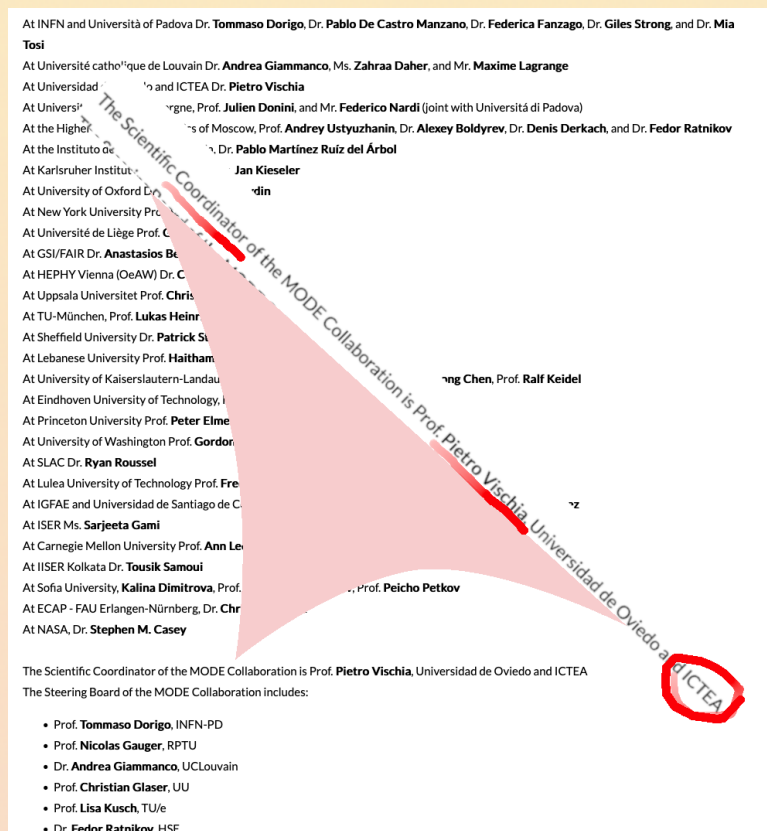
Management Committee

Country	MC Member
Greece	Prof George ZOUPANOS 
Spain	Dr German SBORLINI 
Spain	Prof Pietro VISCHIA 
Switzerland	Prof Tobias GOLLING 

The MODE Collaboration

<https://mode-collaboration.github.io/>

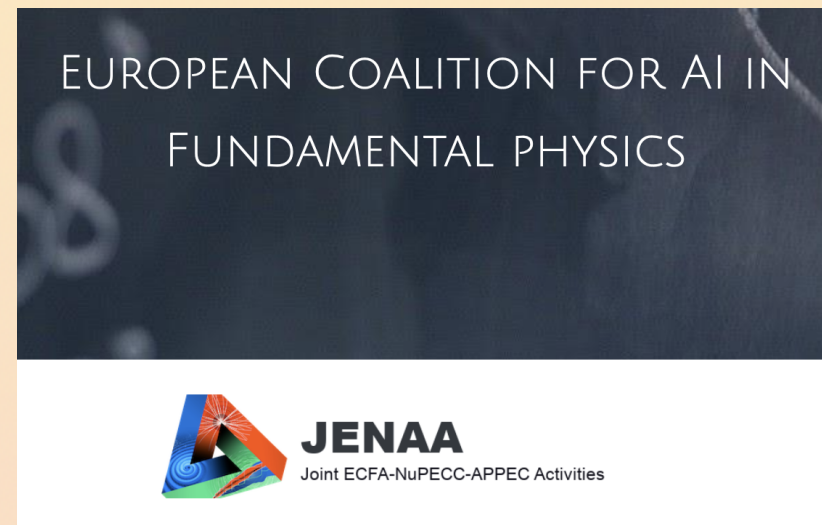
- Machine-Learning Optimized Design of Experiments
- 52 members, 30 institutions, 13 countries (if you are interested, join us!!!)
- Co-founded in 2020, **coordinator since 11-2024**



The Eu Coalition for AI

<https://eucaif.org>

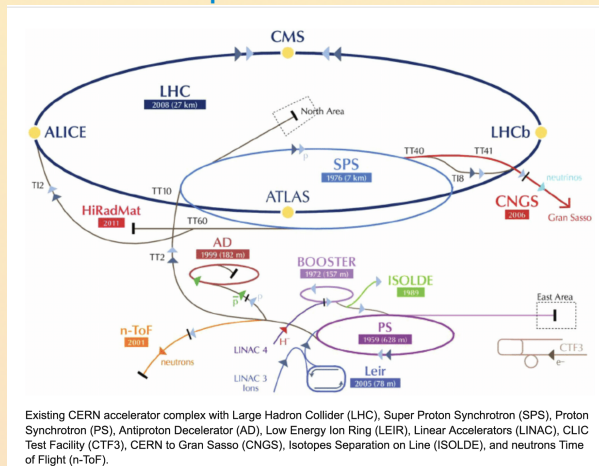
- European initiative for advancing the use of AI in Fundamental Physics
 - Community for developing and promoting AI methods for Physics
 - Bring to AI community advances in AI from physics (see e.g. 2024 Nobel prize to Hopfield and Hinton)
 - Had already two conferences ([2024](#), [2025](#))
 - **Work Package 2: Experiment Design** (leaders: T. Dorigo and **P. Vischia**)



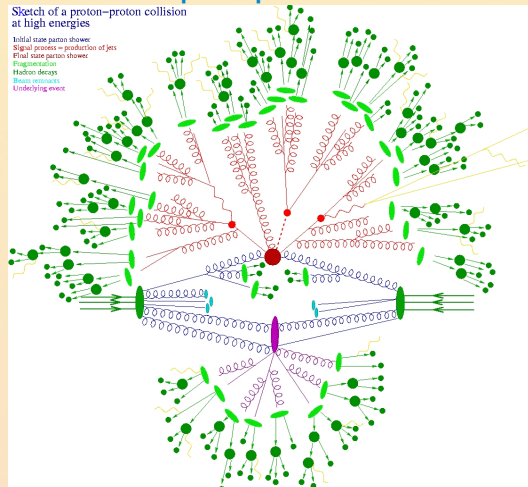
Complex experimental apparata

- 2020 European Strategy (EUSUPP): "New large, long-term projects, pushing technological skills to the limit"

Complex accelerators



Complex phenomena



Complex experiments and reconstruction



$$P(\mathbf{x}|\alpha) = \frac{1}{A_\alpha \sigma_\alpha} \int d\Phi(y) \frac{dx_1 dx_2}{x_1 x_2 s} f(x_1) f(x_2) |\mathcal{M}_\alpha(y, x_1, x_2)|^2 W(\mathbf{x}|y) \epsilon_\alpha(y)$$

Normalization factor

We collide protons and that is a mess

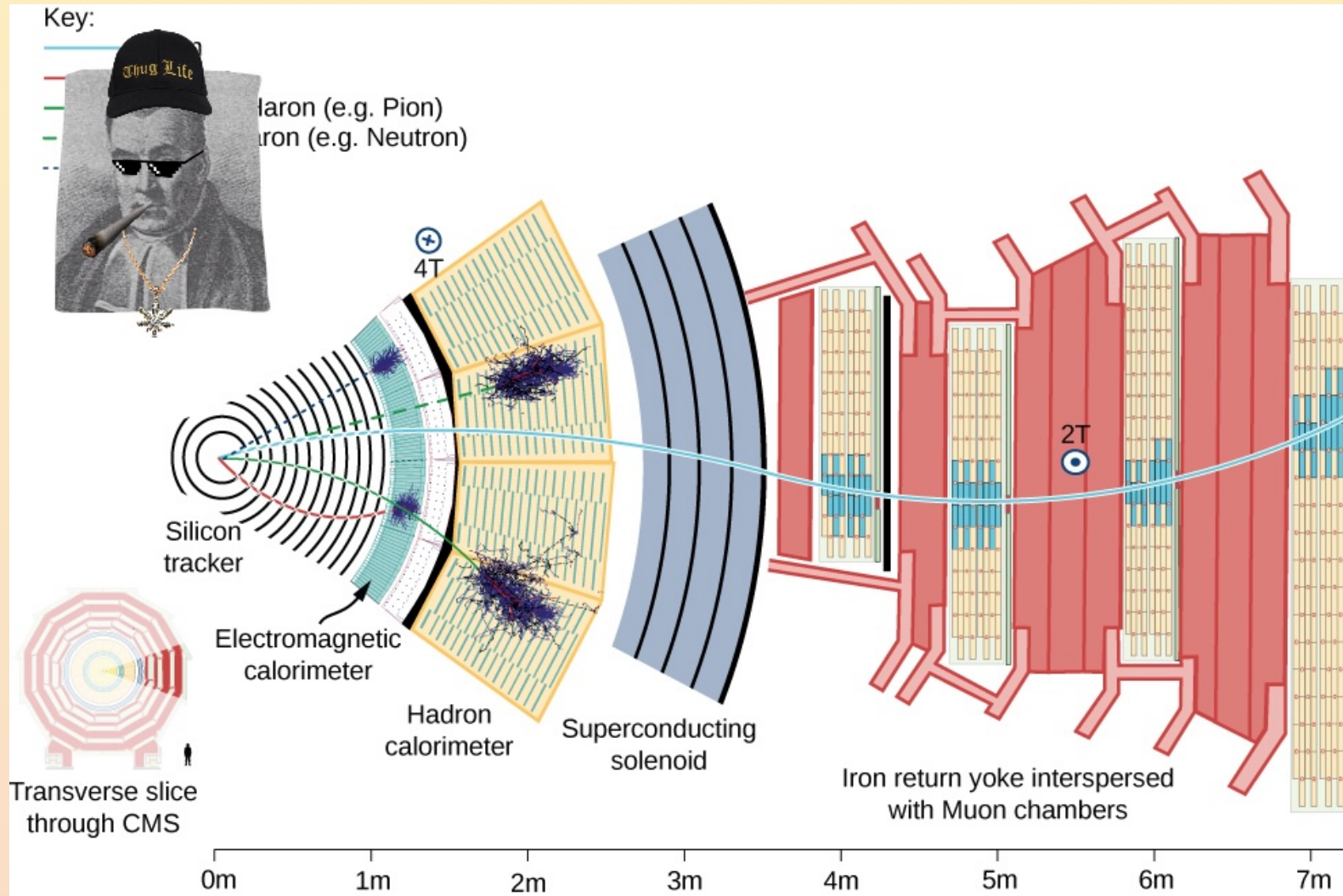
Linear operator in Hamiltonian formalism, describes the physics process

Detector response, experimental efficiencies

- Stochastic processes $\rightarrow$ intractable likelihood (matrix element, parton shower, detector simulation... result in latent variables)

- Costly MonteCarlo simulators to generate $x \sim p(x|\theta)$ (for each event, several thousand randomized choices)

What is a calorimeter?



What is a calorimeter?

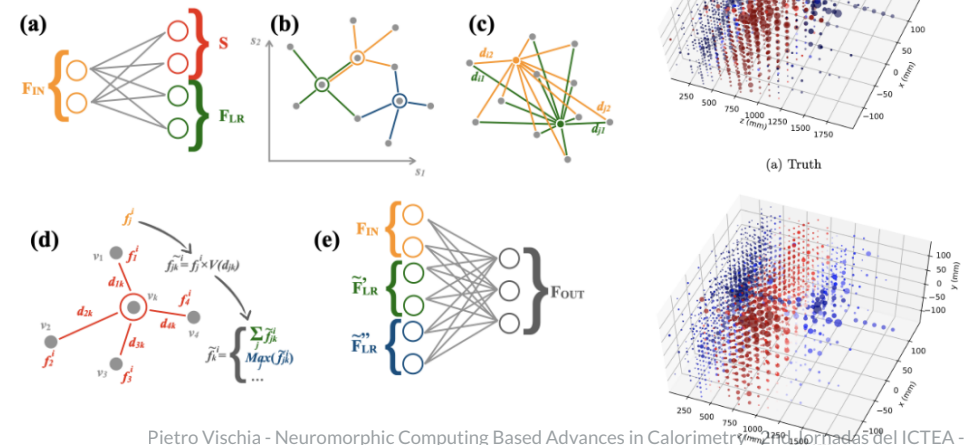
- Scintillating material (e.g. polystyrene, $PbWO_4$) producing light
- Readout (e.g. silicon photomultipliers)
- Absorber material (Iron, Lead)
- **Size of the scintillating elements drives resolution**



Illustration from shalomeo.com and from the CMS HGCAL Team

- **Increasing the granularity is costly**
 - E.g. **CMS spent 67M CHF to upgrade** in 2026-2030 the endcap calorimeter
 - High Granularity Calorimeter (HGCAL): **6 million** Si channels, 250000 scintillator tiles readout by SiPMs,
 - First imaging calorimeter at a high-PU hadron collider
 - Precision particle flow reconstruction (sensitivity to VBF and VBS improves, more precise jet substructure studies)
 - Timing extends reach for long-lived particles

Learning representations of irregular particle-detector geometry with distance-weighted graph networks

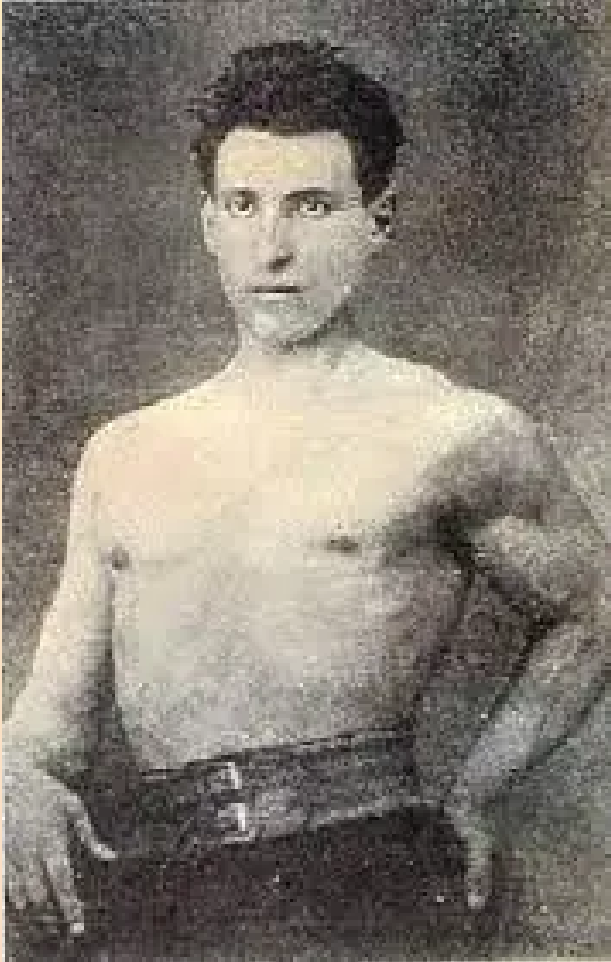


Neuromorphic Computing can help!

Santiago Ramón y Cajal

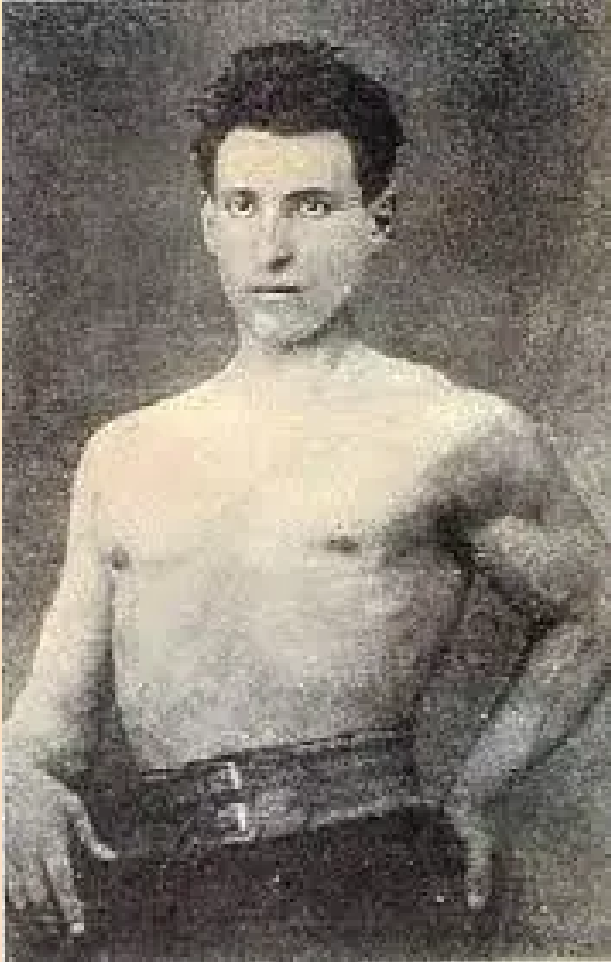
First become a camorrista and a bodybuilder...

"El prurito de lucir el esfuerzo de mi brazo me arrastró más de una vez, contra mi temperamento nativamente bonachón, a parecer camorrista y hasta agresivo."¹

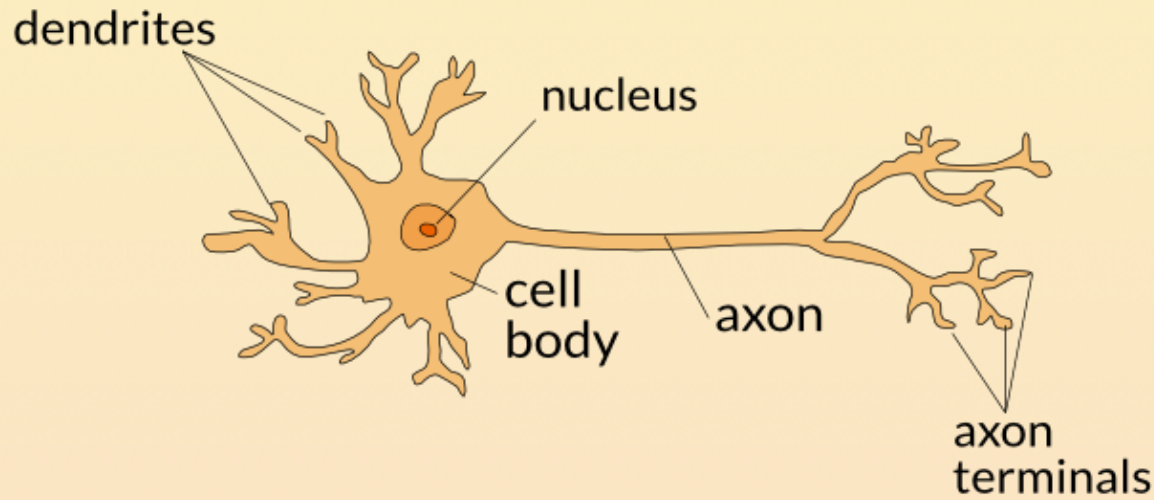


Santiago Ramón y Cajal ... then get the Nobel Prize (1906, in Physiology or Medicine)

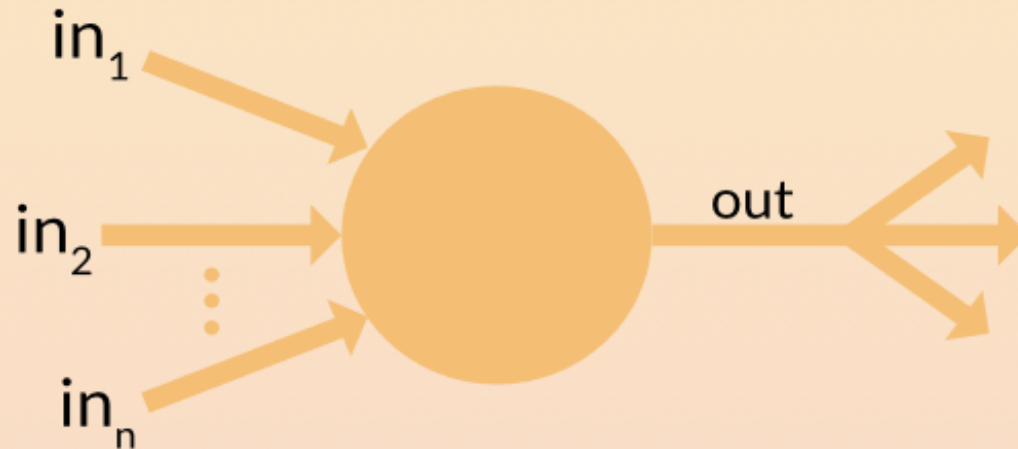
*"El prurito de lucir el esfuerzo de mi brazo me arrastró más de una vez, contra mi temperamento nativamente bonachón, a parecer camorrista y hasta agresivo."*¹



From Neurons to Perceptrons...



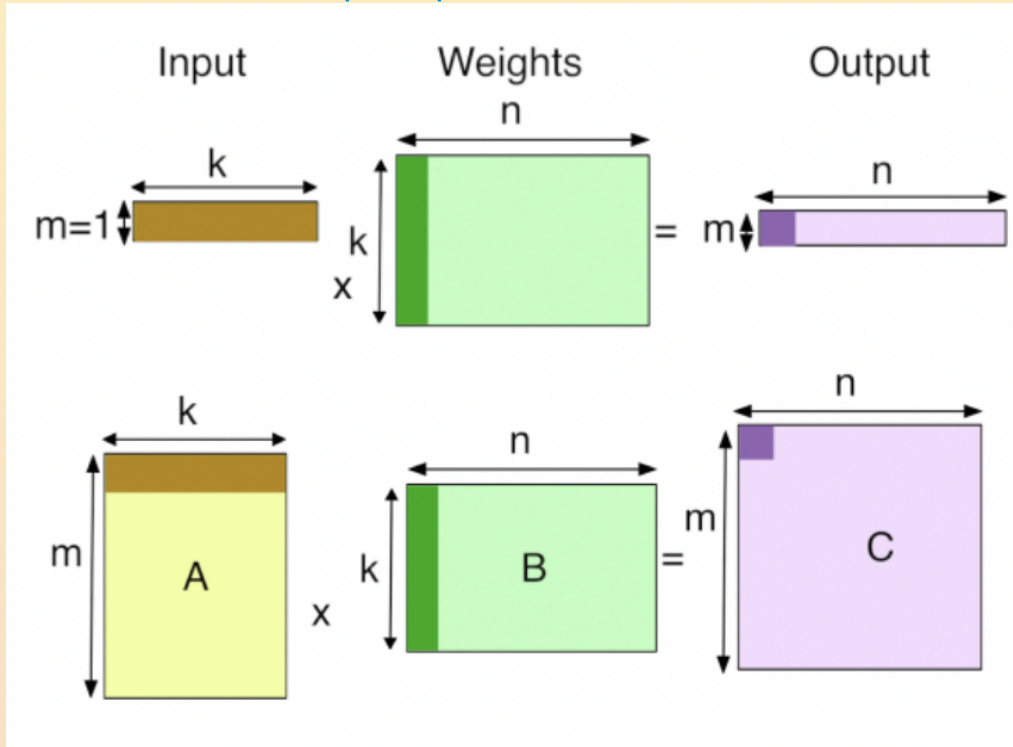
$$I(t) = C \frac{dV}{dt} + G_{Na} m^3 h (V - V_{Na}) + G_K n^4 (V - V_K) + G_L (V - V_L)$$



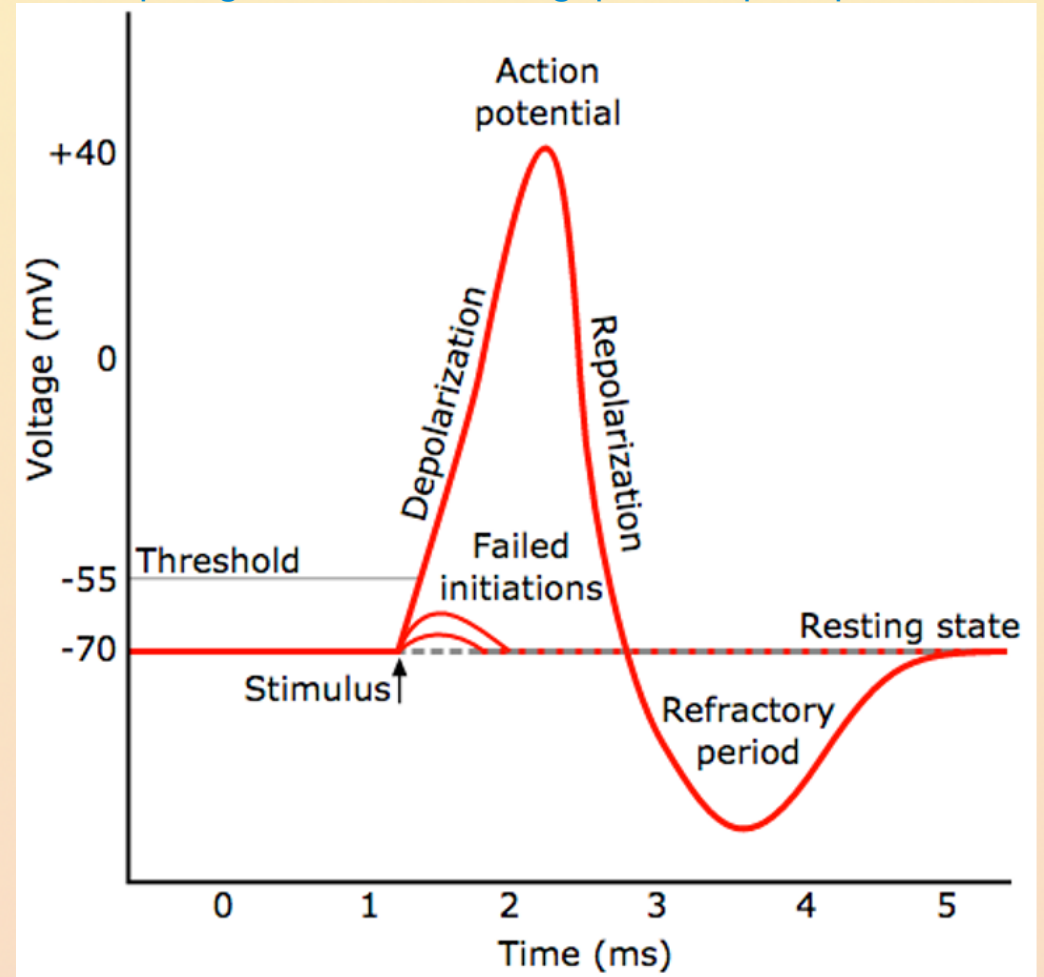
$$y = f\left(b_i + \sum w_i x_i\right)$$

...and back: a paradigm shift

From perceptrons and matrices...



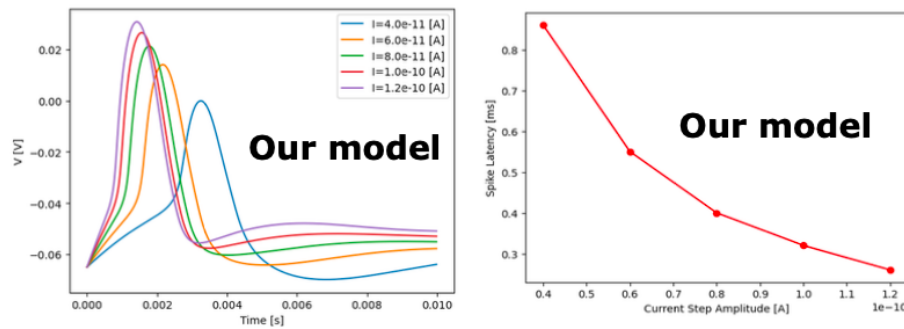
to spiking neurons modulating spatiotemporal patterns



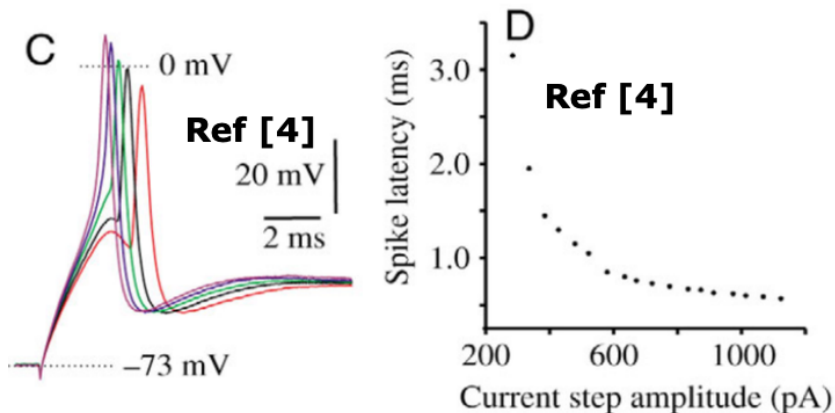
Realistic neuronal models P. Vischia, A. Caputi, [10.5281/zenodo.8394819](https://zenodo.org/record/8394819)

- Spherical neuron with four channels (different thresholds and time constants) for *Gymnotus Omarorum*
 - [Vischia, Caputi 2023](#): computational model compared with data from "[4]" (*J Exp Biol* (2006) 209 (6): 1122–1134.)

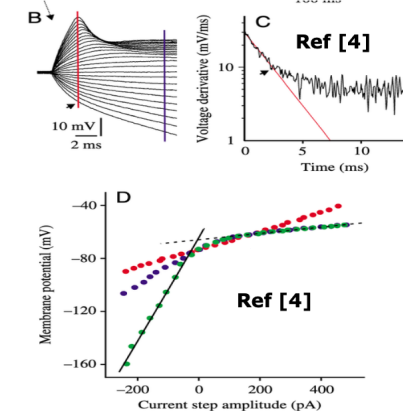
- The amplitude of the stimulus step drives the spike latency



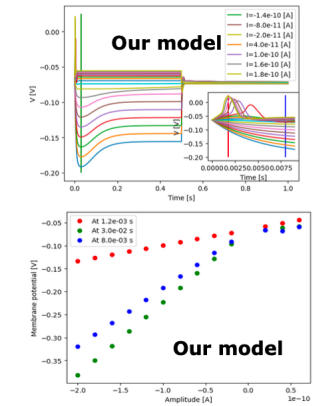
- Observations exhibit the same behaviour
- Further turning needed for the spike shape



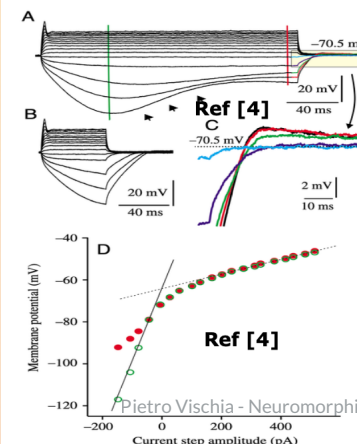
- Early subthreshold responses



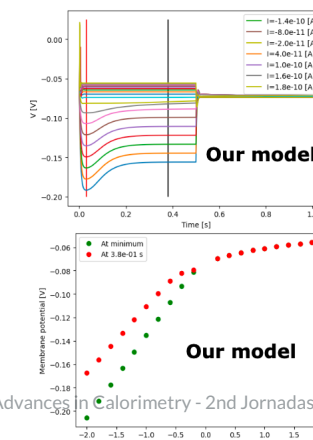
- Before hump (red), linear V-I relation
- After hump, for depolarizing steps V-I relation is nonlinear
The activated conductance does not inactivate at later times



- Late subthreshold responses



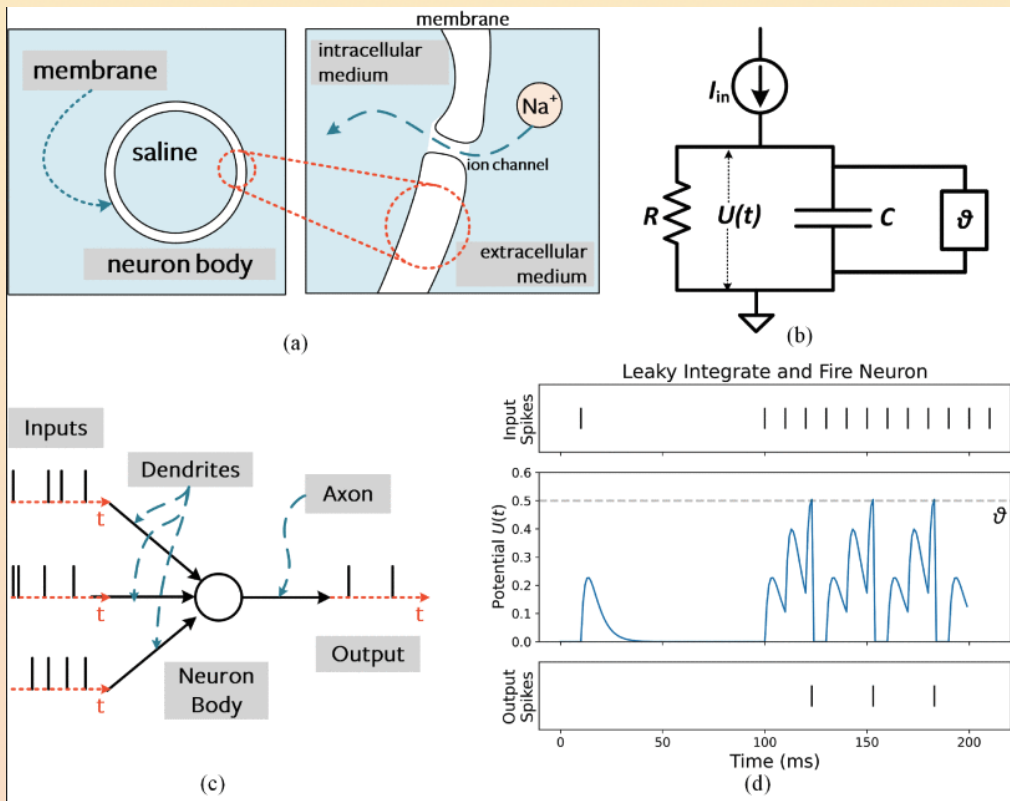
- At peak hyperpolarization, limiting slope is maximal
- At end of the step, depolarization curves decay much faster



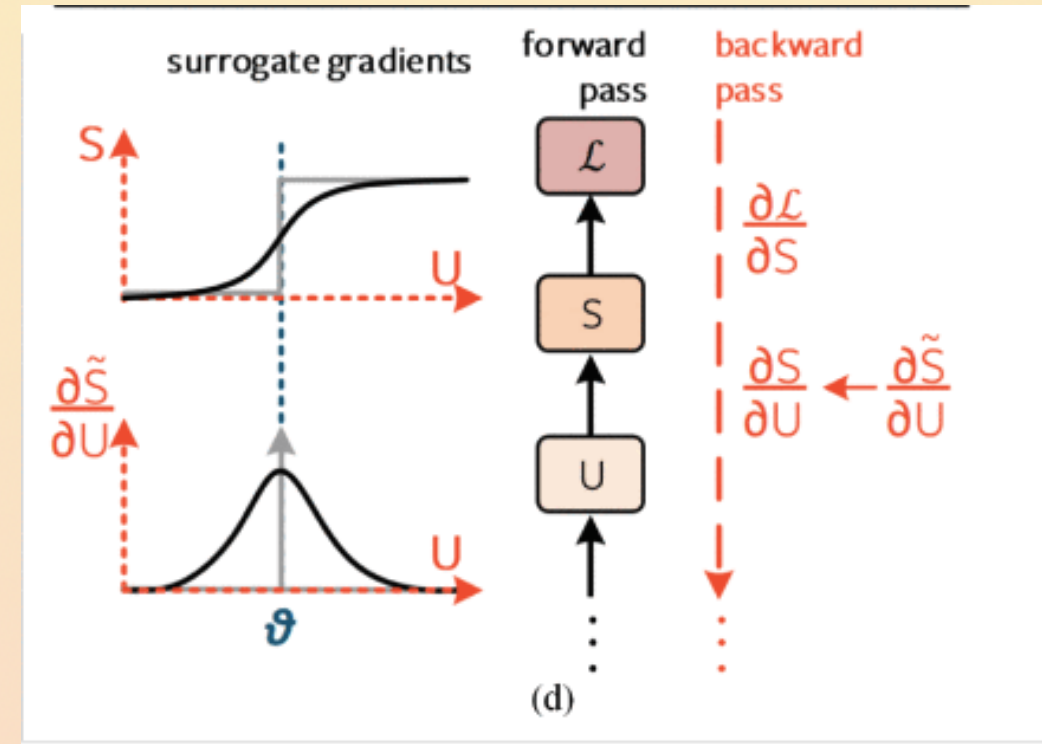
Artificial Spiking Networks

- Neuronal model vastly simplified: (Leaky) Integrate-and-fire Model. Other training schemes are available (not illustrated here)

$$U[t] = \underbrace{\beta U[t-1]}_{\text{decay}} + \underbrace{W X[t]}_{\text{input}} - \underbrace{S_{\text{out}}[t-1]\theta}_{\text{reset}}$$



- Surrogate gradient to mimick the usual gradient descent
 - Use automatic differentiation for training!

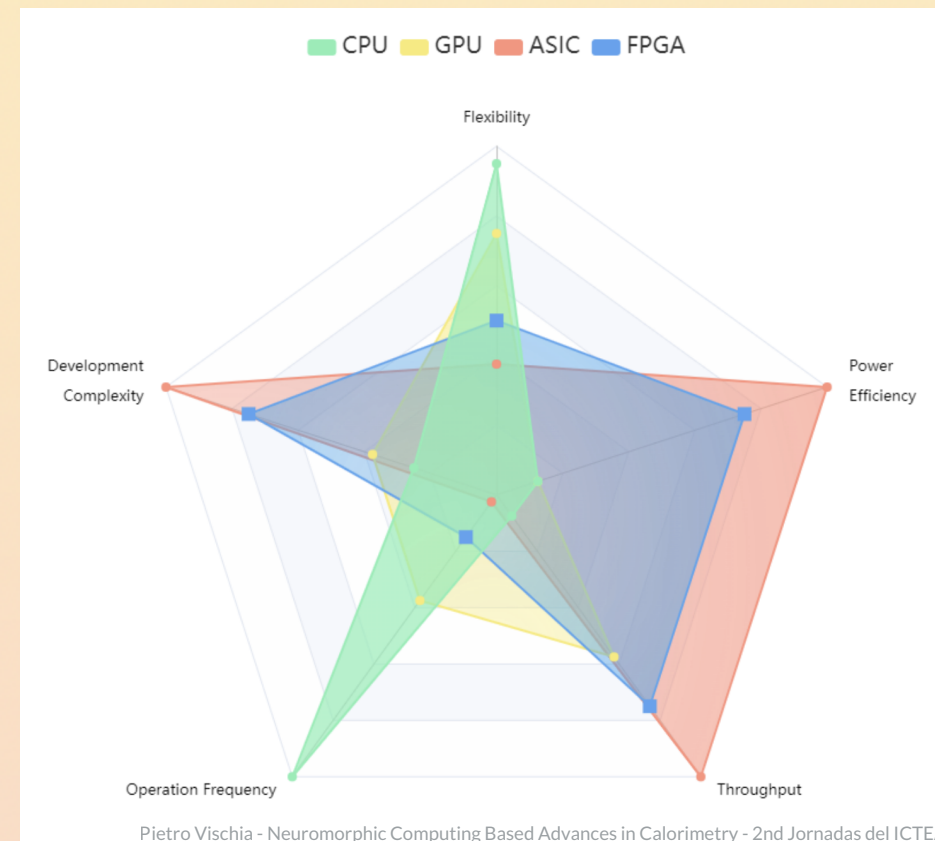
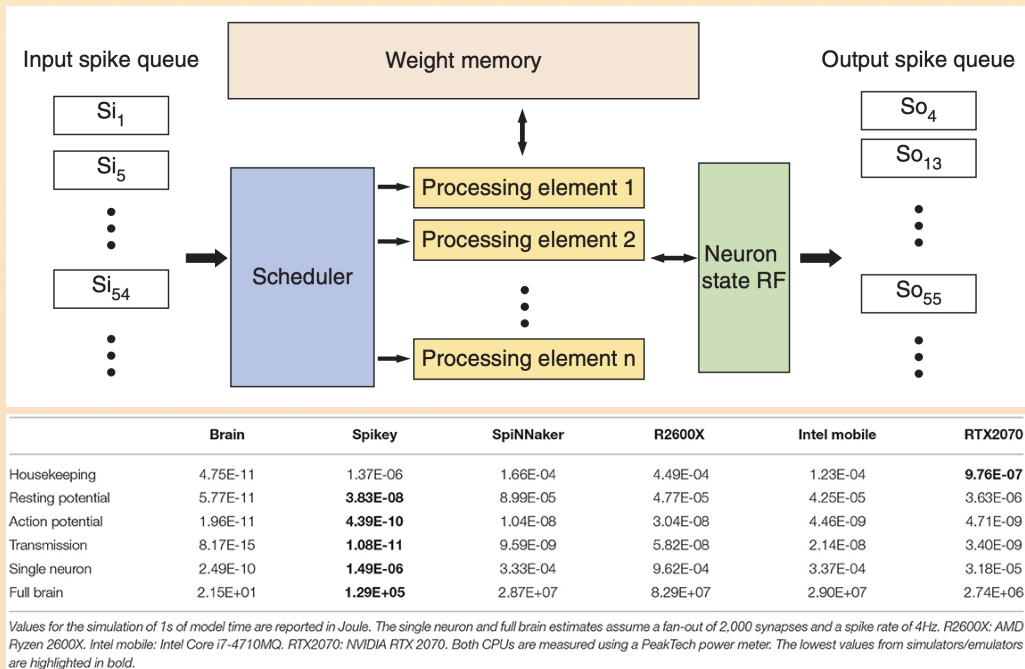


Energy-efficient architectures

Sparser inputs → less time and energy

- Event-driven computation
- Efficient, threshold-based encoding
 - GPU (RTX3090): 40 GW simulation on discrete states
 - Human brain equivalent: **20 W on dynamic states**
- Energy consumption drastically limited in sparse settings

- Neuromorphic hardware has maximal energy efficiency
 - **Memristors are optimal**, otherwise CMOS/ASIC
 - FPGA implementations also available (e.g. [2502.20415](#), [2411.01628](#), [2307.03910](#), [2305.11252](#))

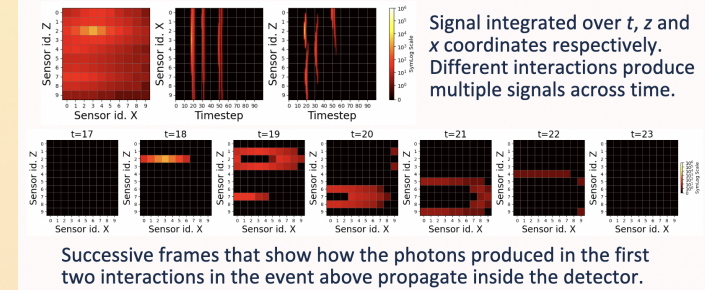


Can we apply Neuromorphic Computing to HEP apparata?

Neuromorphic Readout for HCals E. Lupi et al. (P.V.) *Particles* 2025 8(2) 52

- Hadron Calorimeter readout via light-sensitive nanowires
 - Fast, energy-efficient local computation
 - Generate informative high-level primitives
- GEANT4 simulation of 100-GeV $p/K/\pi$
- Simulated calorimeter: 1000 cubelets, 1M nanowire cells
 - $300 \times 300 \times 1200 \text{mm}^3$: lateral/longitudinal containment of 100% (87%)
 - Record every 0.2ns for 20ns (90% of the shower is deposited)
- Time evolution accessible via spiking networks
 - **Bypass the need for high-granularity calorimeters**

Photons are collected for a total of 20 ns and the signal is discretized into 100 bins. Here is how one example event looks like:



The detector is divided into blocks called “**cubelets**”:

- Arranged in a 10 x 10 x 10 matrix
- Size: 3 cm x 3 cm x 12 cm

Here is a schematic view of one cubelet...

Material of choice: **PWO**

- Light Yield $\approx 220 \text{ ph/MeV}$
- Refraction index = 2.2

Incoming particle: **p, π or k**
at 100 GeV

Segmented readout: **10 x 10 light sensors grid**
on the upper face of each cubelet.
Sensors are blind to the light coming from other cubelets (all other sides are reflective)

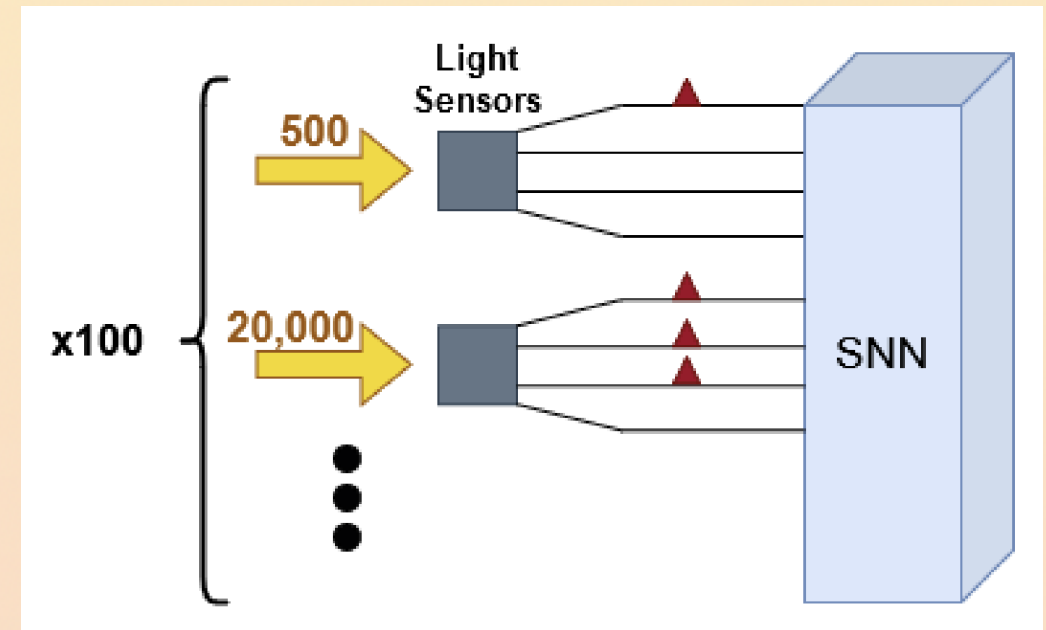
Simple assumption:
All deposited energy is converted
into **photons** which travel
isotropically in all directions

Encoding sensor data E. Lupi et al. (P.V.) *Particles* 2025 8(2) 52

- Each sensor feeds four channels to a spiking network → have to convert incoming data into a spike train
- For each time step t , each channel can either be activated (carry a spike) or inactivated
 - Define threshold on incoming light that activates the channel
- Each channel has a different activation threshold → spikes carry both timing and intensity information
- For the i -th channel and t -th timestep is the following:

$$S^i[t] = \begin{cases} 1 & \text{if } N_{ph}[t] \geq 10^{i+2} \\ 0 & \text{otherwise} \end{cases}$$

$i = 1, 2, 3$



Decoding scheme

E. Lupi et al. (P.V.) *Particles* 2025 8(2) 52

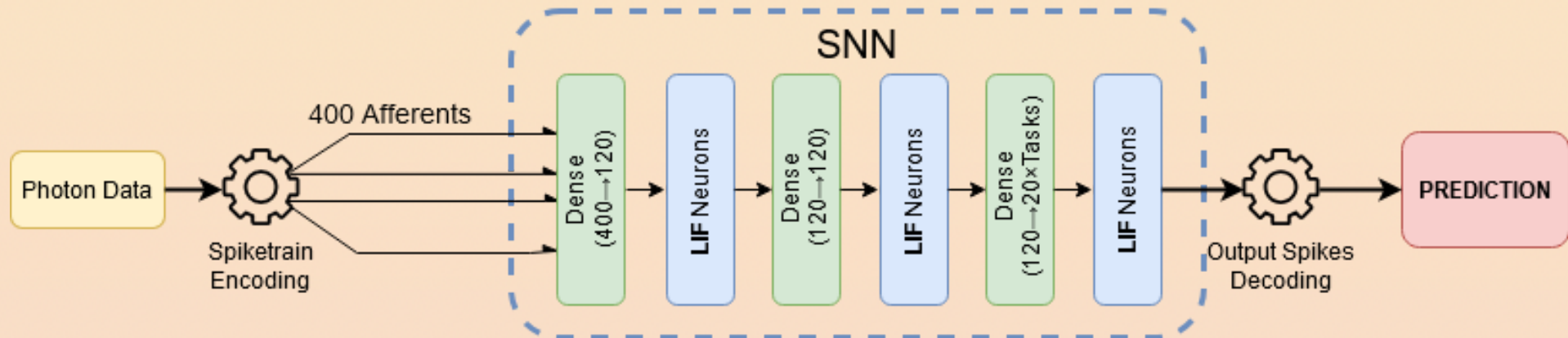
- Decode spike train via fully connected SNN out of LIF neurons
 - LIF neurons with learnable U_{thr} and β , and **arctan** function as surrogate gradient.
- Last layer of SNNs natural choice as a regressor (either output spikes or membrane potential)

Membrane potential: higher precision, higher latency and computational complexity

Output spikes: requires careful information encoding/decoding schemes (e.g. rate- or latency-based), but better performance

$$\hat{X} = \frac{1}{N_{pop}} \sum_{i=1}^{N_{pop}} U^{(i)} [T]$$

$$\hat{X} = \frac{1}{N_{pop}} \sum_{i=1}^{N_{pop}} \sum_{t=1}^T U^{(i)} [t]$$

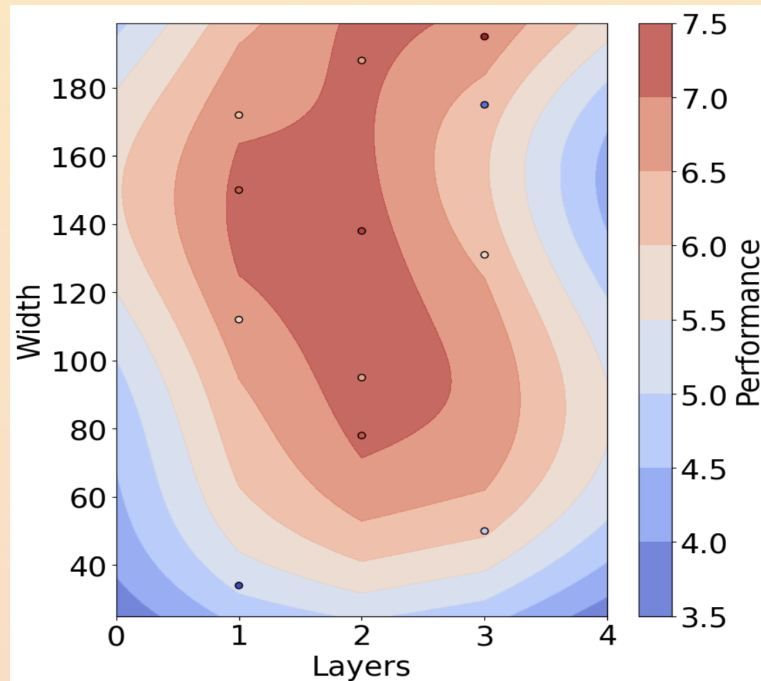


Network optimization E. Lupi et al. (P.V.) *Particles* 2025 8(2) 52

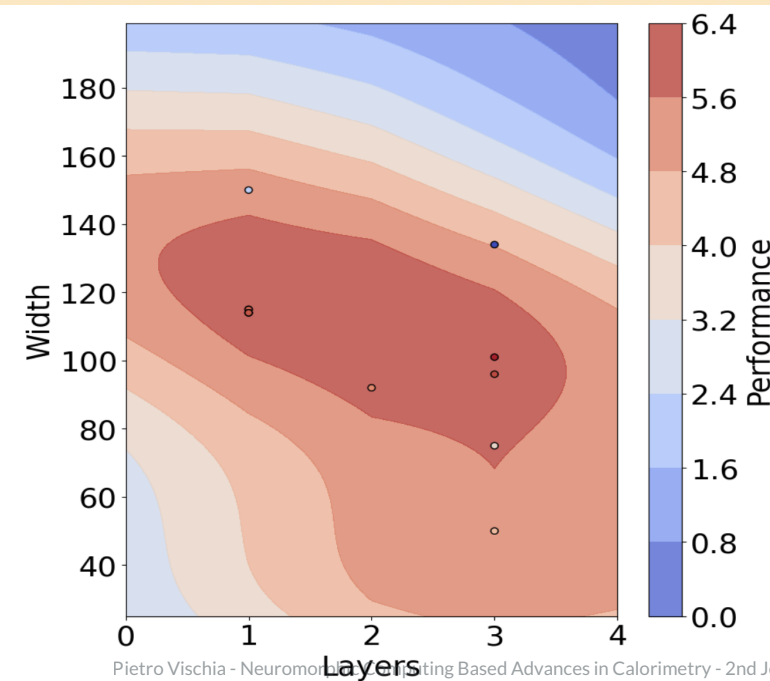
- Architecture optimized via Bayesian optimization, separately for each multi-target regression
 - Prior > gaussian surrogate model of the objective function
 - New observations generated maximizing Expected Improvement → used to update the prior in the function space
 - Sampling directed towards the maximum of the surrogate model (Conditioning on sampling towards maxima.
 - Access to full posterior over parameters

$$P = \frac{1}{N_{targets}} \sum_i^{N_{targets}} \frac{1}{\epsilon_i}$$

Regress log(E/MeV) and centroid



Regress log(E/MeV) and dispersion



Regression E. Lupi et al. (P.V.) Particles 2025 8(2) 52

- Single- and multi-target regression give **consistent results**
- Centroid of energy distribution determined to **less-than-one-cell accuracy**
- Large energy range results in nonoptimal error
- z dispersion more precise than x and y

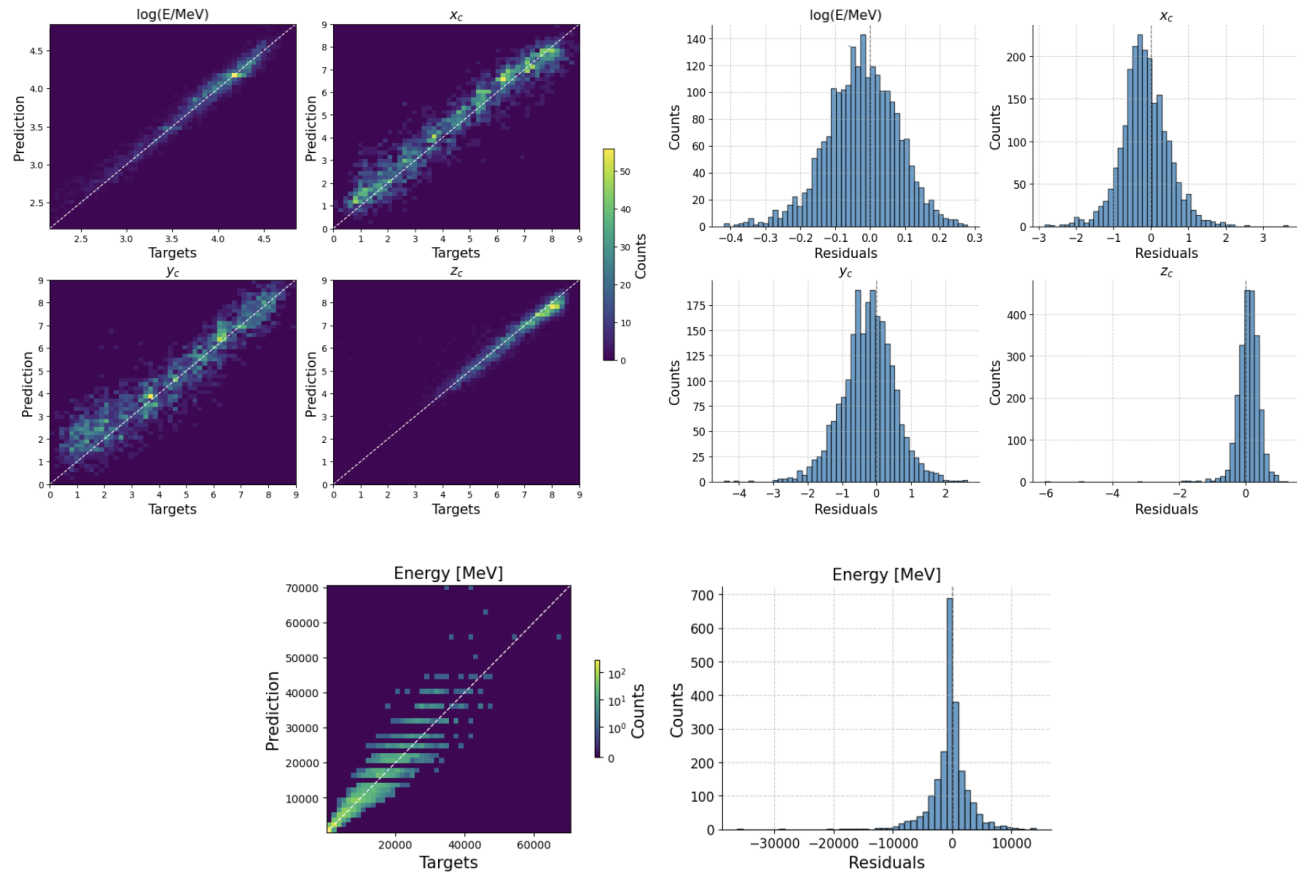
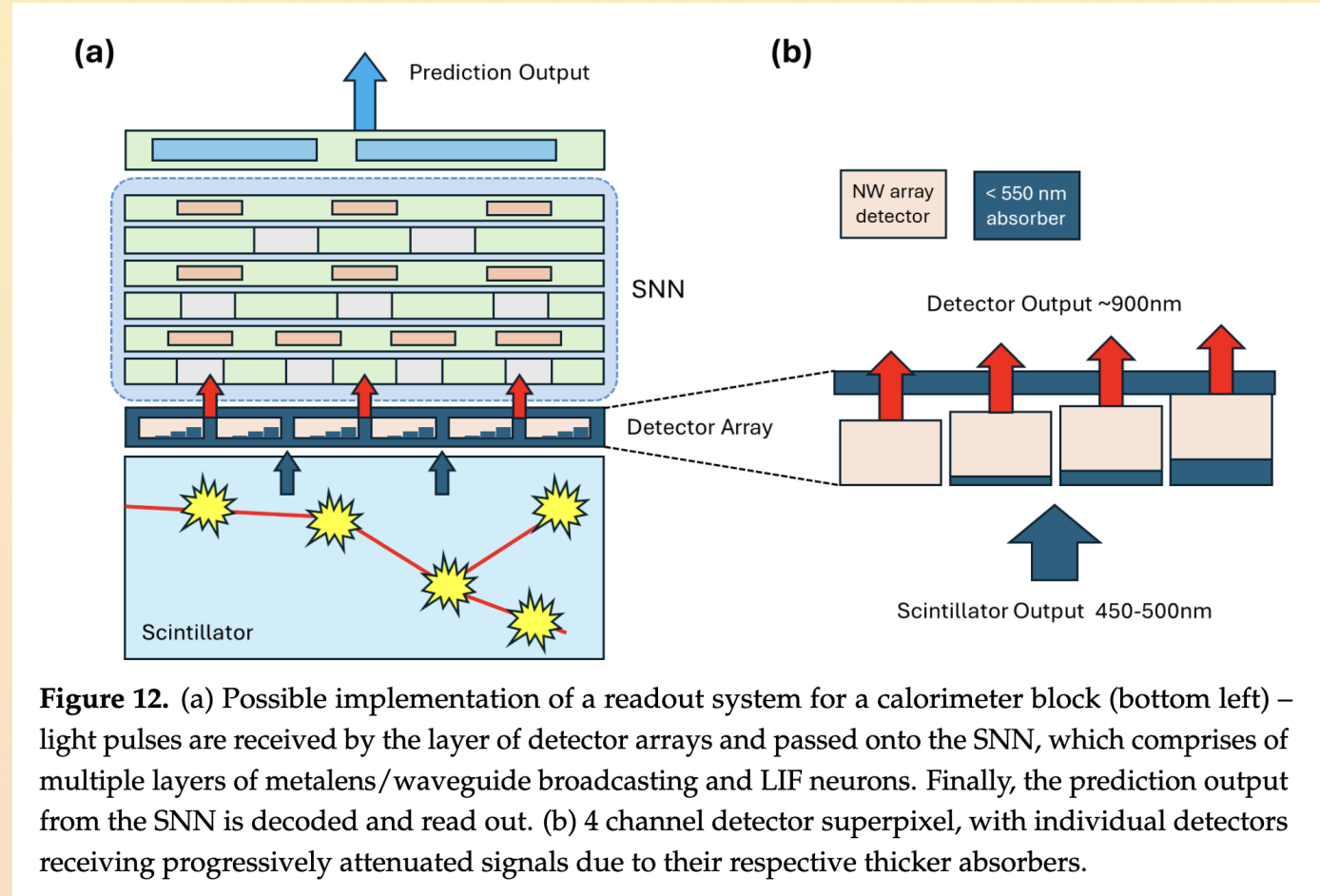


Figure 8. Output of the energy deposition and centroid network. The plots show the correlation between targets and predictions (left) and the residuals (right).

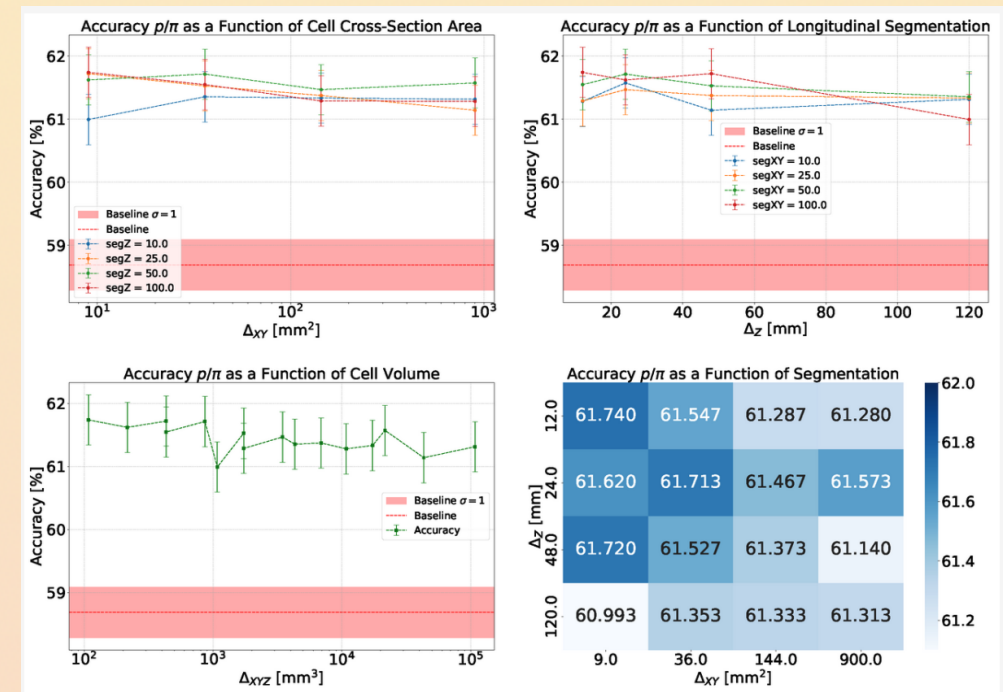
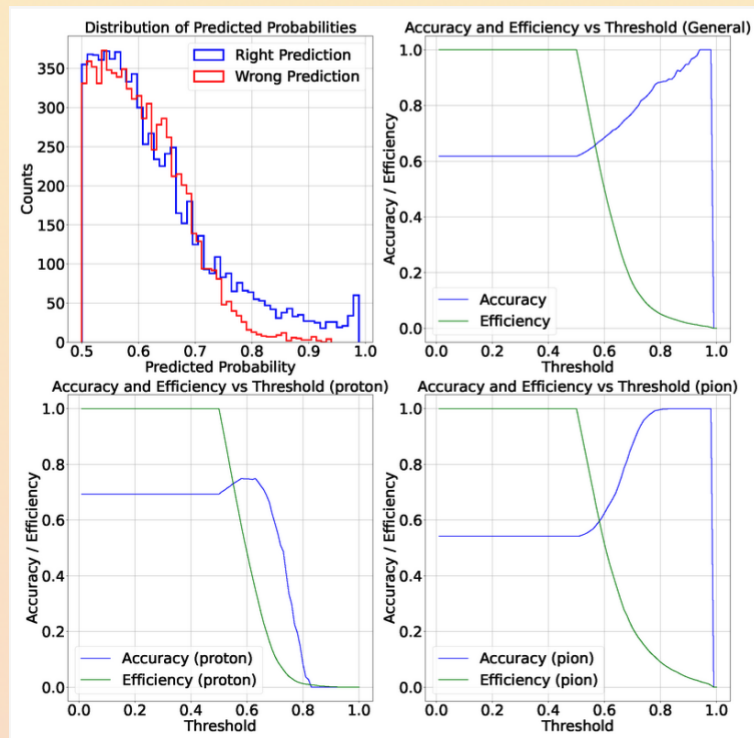
Nanophotonics implementation E. Lupi et al. (P.V.) *Particles* 2025 8(2) 52

- Most NC systems operate at 200 MHz (5ns cycle)
 - Required sub-ns (0.2ns) sampling implies challenges
- III-V semiconductor nanowire: detect and emit light, work as electronics
 - Spiking photonic neurons in the picoseconds
 - InP can detect light in the 450-550 nm bandwidth of $PbWO_4$
- Large energy range results in nonoptimal error
- z dispersion more precise than x and y



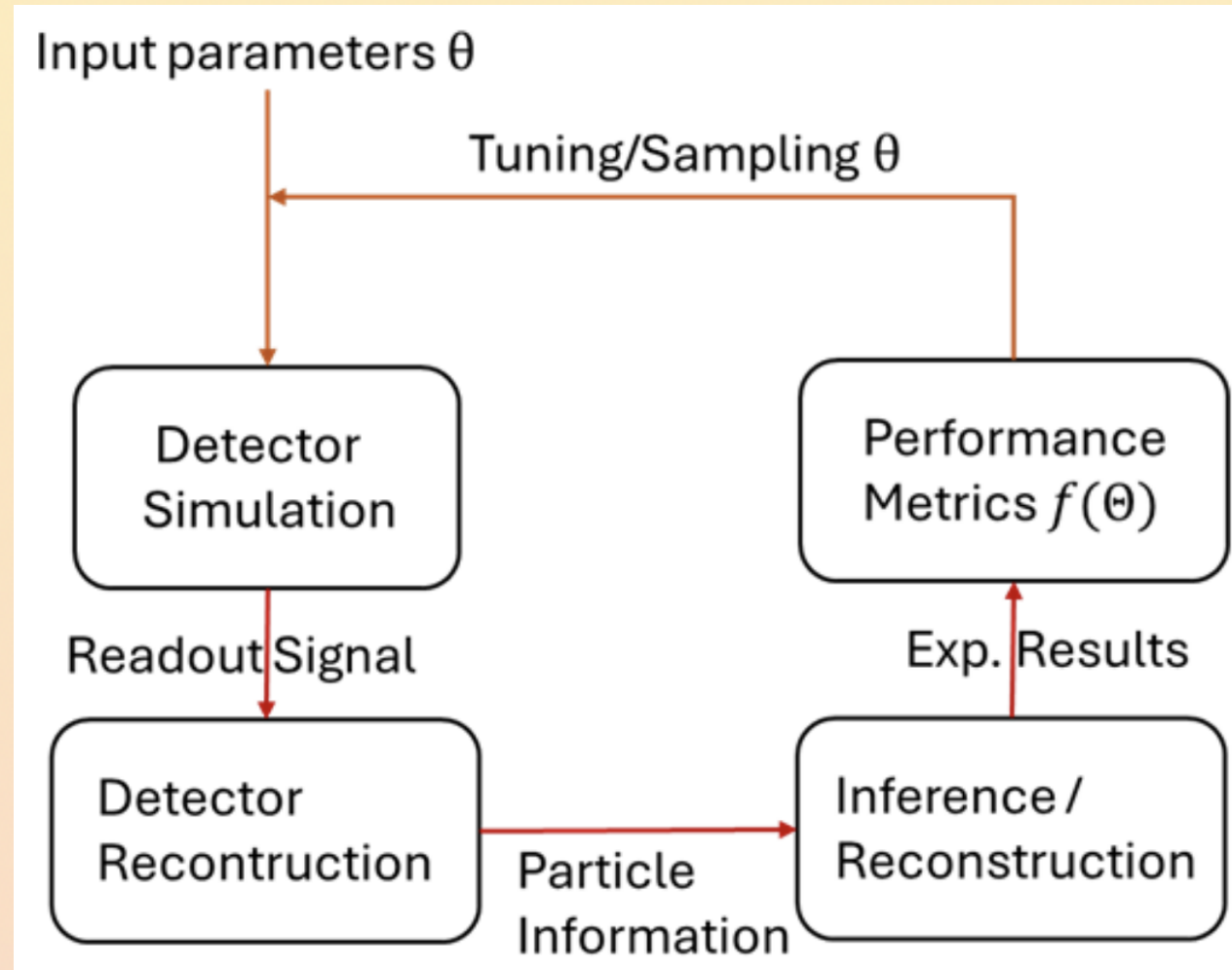
Why is segmentation useful? A. De Vita et al. (P.V.) Particles 2025, 8(2), 58

- High granularity opens the possibility of separating $p/K/\pi$
- Can define binary decisions with $\mathcal{O}(60\%)$ accuracy at 100% efficiency
- Neuromorphic implementation
 - can do this within the chips themselves!!!
 - can do that without increasing granularity of the calorimeter!!! (only the readout)



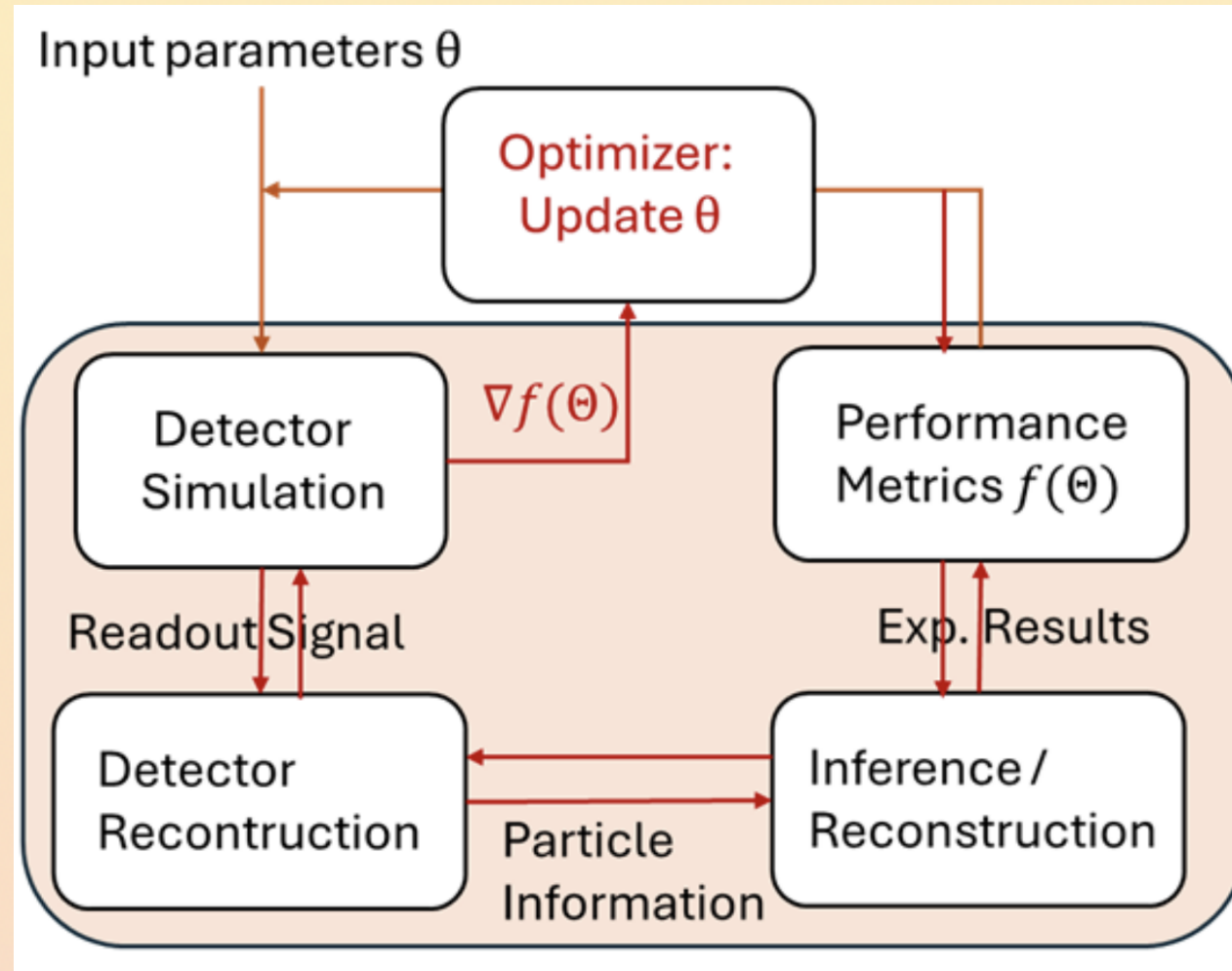
Traditional experiment/detector design

- Manual or sampled design process is inefficient and sometimes even unfeasible



AI-assisted experiment/detector design

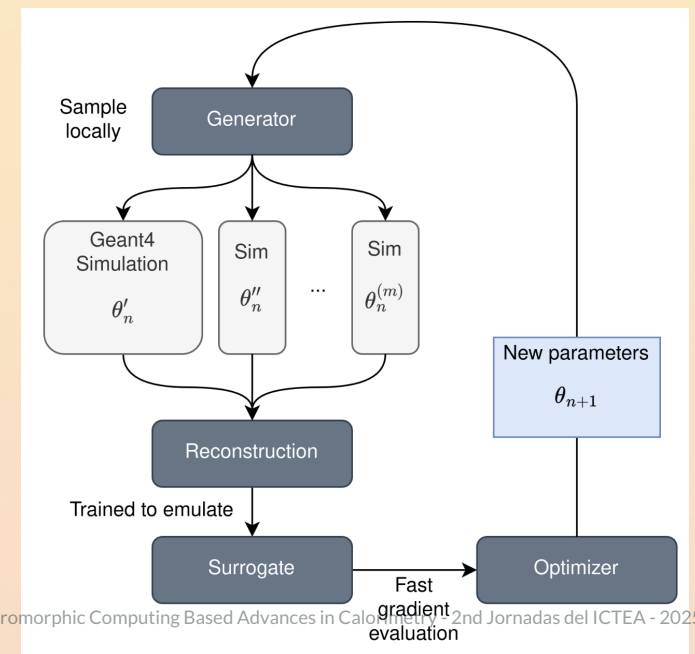
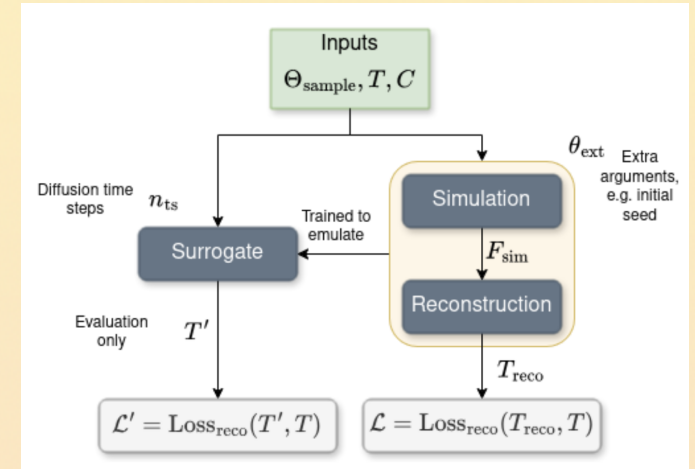
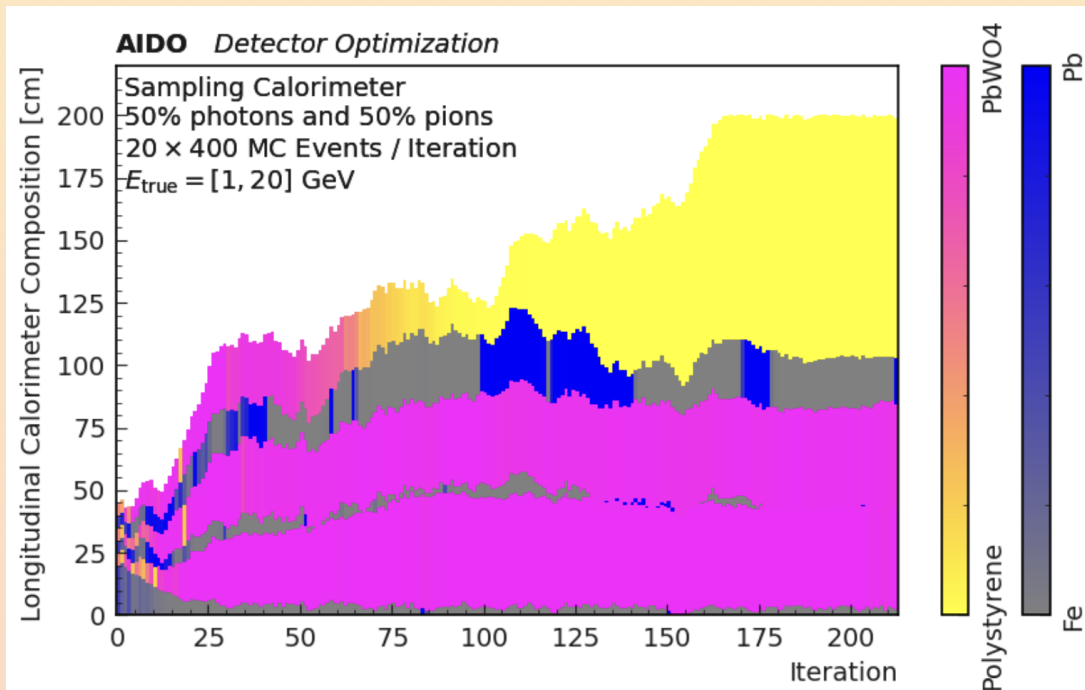
- Optimize a cost function's multidimensional landscape via gradient or reinforcement learning methods



E2E detector optimization

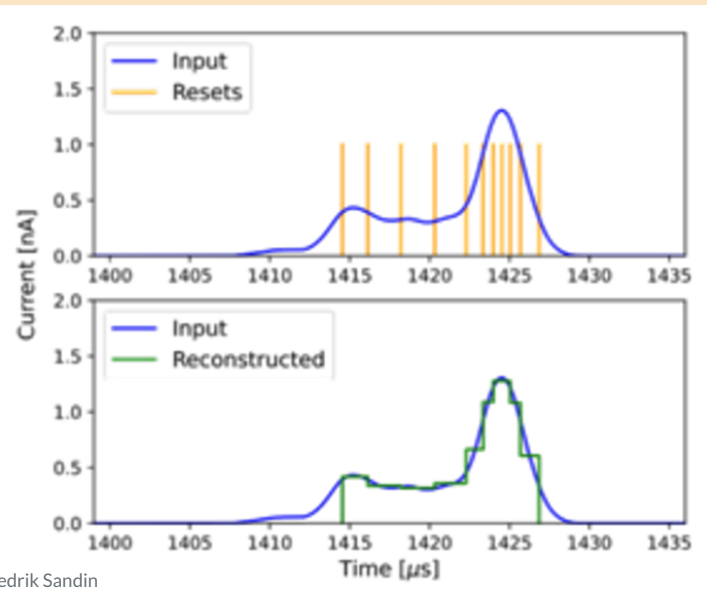
K. Schmidt et al. (P.V.) *Particles* 2025 8(2) 47

- AIDO: Diffusion model replaces the full simulation and reconstruction chain
 - This work: focus on sampling calorimeter
 - General approach extendable to full detector
- Learn directly output of reconstruction step
 - Surrogate via parallelized GEANT4 simulations
- Constrained optimization: 200cm length, 200k EUR budget
 - Better materials (lead for absorber, $PbWO_4$ for scintillator) cost more



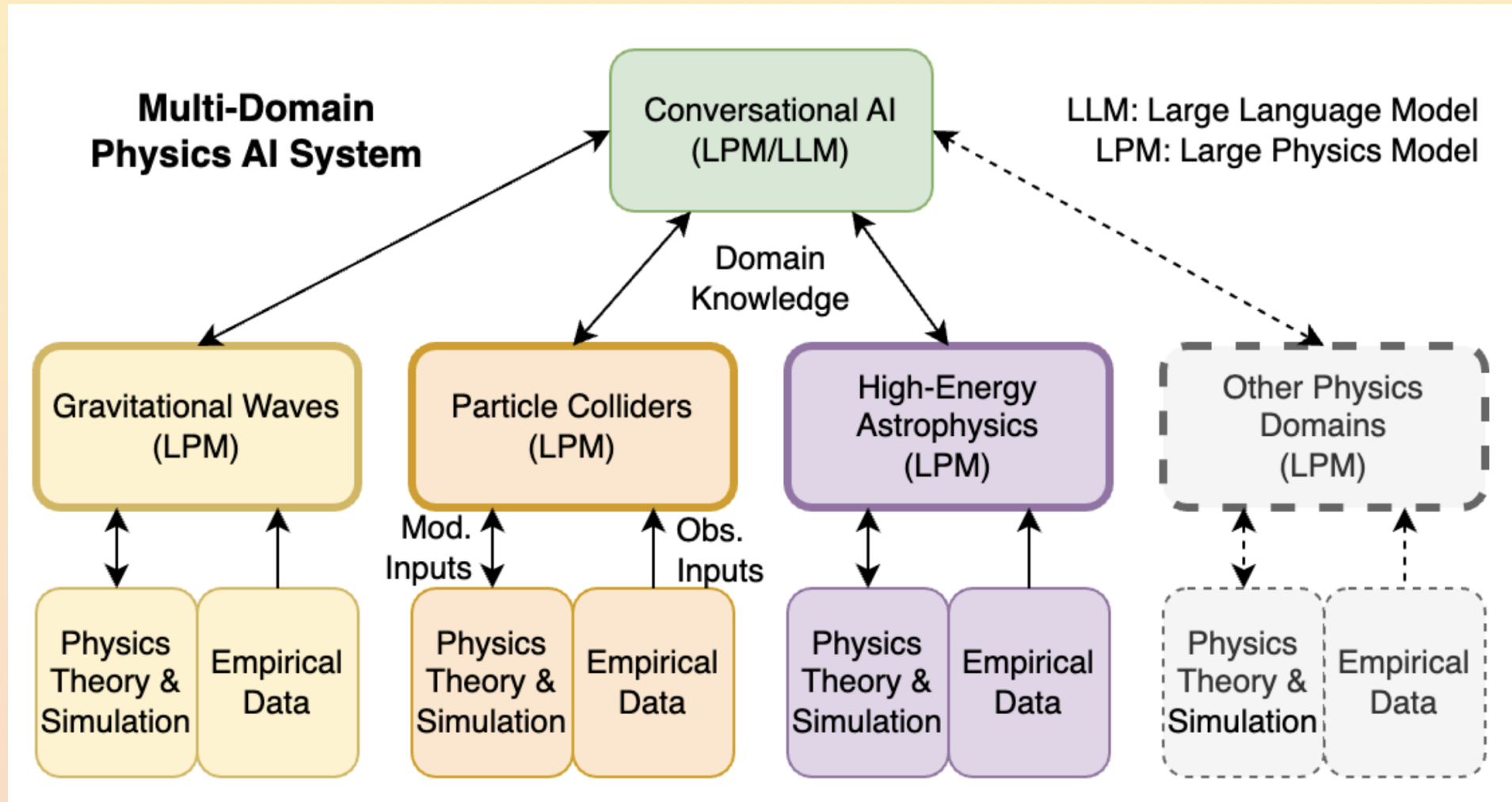
The next developments P.V. 10.22323/1.476.1022

- Further studies for hadron calorimetry ongoing
 - Funding requested for demonstrator
- Scheme can be adapted to CMS-style ECAL and other subsystems, some studies ongoing/starting
- Funding requested for NC-based trigger systems, studies ongoing
- Charge readout in LArTPC for neutrino physics
 - The Q-Pix consortium demonstrated pixel-based readout in ASIC, equivalent to an integrator
 - Neuromorphic systems are well suited to in-chip signal processing
- Large-scale optimization of experiment design



Component of Large Physics Models? K. G. Barman et al. (P.V.) 2501.05382

- Tailored model for detector optimization may inform future conversational AI physics model



Thank you!

Backup

Autodiff powers most of modern ML

- By design, simple in software

```
import torch, math
x0 = torch.tensor(1., requires_grad=True)
x1 = torch.tensor(2., requires_grad=True)
p = 2*x0 + x0*torch.sin(x1) + x1**3
print(p)
p.backward()
print(x0.grad, x1.grad)
```

yielding

```
Primal: tensor(10.9093, grad_fn=<AddBackward0>)
Adjoint: tensor(2.9093) tensor(11.5839)
```

- Computational cost of calculating $\mathbf{J}_f(\mathbf{x})$ in $\mathbb{R}^n \times \mathbb{R}^m$ for $f : \mathbb{R}^n \rightarrow \mathbb{R}^m$
 - $\mathcal{O}(n \text{ time}(f))$
 - $\mathcal{O}(m \text{ time}(f))$

$$y(\mathbf{x}) = 2x_0 + x_0 \sin(x_1) + x_1^3$$

Fwd Primal Trace Atomic operation	Value in (1, 2)	Fwd Tangent Trace (set $\dot{x}_0 = 1$ to compute $\frac{\partial y}{\partial x_0}$) Atomic operation	Value in (1, 2)
$v_0 = x_0$ $v_1 = x_1$	1 2	$\dot{v}_0 = \dot{x}_0$ $\dot{v}_1 = \dot{x}_1$	1 0
$v_2 = 2v_0$ $v_3 = \sin(v_1)$ $v_4 = v_0 v_3$ $v_5 = v_1^3$ $v_6 = v_2 + v_4 + v_5$	2 0.9093 0.9093 8 10.9093	$\dot{v}_2 = 2\dot{v}_0$ $\dot{v}_3 = \dot{v}_1 \cos(v_1)$ $\dot{v}_4 = \dot{v}_0 v_3 + v_0 \dot{v}_3$ $\dot{v}_5 = 3\dot{v}_1 v_1^2$ $\dot{v}_6 = \dot{v}_2 + \dot{v}_4 + \dot{v}_5$	2×1 0×-0.41 $1 \times 0.9093 + 1 \times 0$ 0 $3 \times 0 \times 4$ $2 + 0.9093 + 0$
$y = v_6$	10.9093	$\dot{y} = \dot{v}_6$	2.9093

Fwd Primal Trace Atomic operation	Value in (1, 2)	Rev Adjoint Trace (set $\bar{y} = 1$ to compute $\frac{\partial v}{\partial y}$) Atomic operation	Value in (1, 2)
$v_0 = x_0$ $v_1 = x_1$	1 2	$\bar{x}_0 = \bar{v}_0$ $\bar{x}_1 = \bar{v}_1$	2.9093 11.5839
$v_2 = 2v_0$ $v_3 = \sin(v_1)$ $v_4 = v_0 v_3$ $v_5 = v_1^3$ $v_6 = v_2 + v_4 + v_5$	2 0.9093 0.9093 8 10.9093	$\bar{v}_0 = \bar{v}_0 + \bar{v}_2 \partial v_2 / \partial v_0$ $\bar{v}_0 = \bar{v}_4 \partial v_4 / \partial v_0$ $\bar{v}_1 = \bar{v}_1 + \bar{v}_3 \partial v_3 / \partial v_1$ $\bar{v}_1 = \bar{v}_5 \partial v_5 / \partial v_1$ $\bar{v}_2 = \bar{v}_6 \partial v_6 / \partial v_2$ $\bar{v}_3 = \bar{v}_4 \partial v_4 / \partial v_3$ $\bar{v}_4 = \bar{v}_6 \partial v_6 / \partial v_4$ $\bar{v}_5 = \bar{v}_6 \partial v_6 / \partial v_5$	$\bar{v}_0 + \bar{v}_2 \times 2 = 2.9093$ $\bar{v}_4 \times v_3 = 0.9093$ $\bar{v}_1 + \bar{v}_3 \times \cos(v_1) =$ 11.5839 $\bar{v}_5 \times 3v_1^2 = 12$ $\bar{v}_6 \times 1 = 1$ $\bar{v}_4 \times v_0 = 1$ $\bar{v}_6 \times 1 = 1$ $\bar{v}_6 \times 1 = 1$
$y = v_6$	10.9093	$\bar{v}_6 = \bar{y}$	1

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$$\mathbf{J}(\mathbf{W}) = \frac{1}{n} \sum_{i=1}^n \mathcal{L}(f(x^{(i)}; \mathbf{W}), y^{*(i)}), \quad \mathbf{W}^0 = \operatorname{argmin}_{\mathbf{W}} \mathbf{J}(\mathbf{W}), \quad \mathbf{W} \leftarrow \mathbf{W} + \eta \frac{\partial \mathbf{J}(\mathbf{W})}{\partial \mathbf{W}}$$

- Efficient matrix multiplication in dedicated hardware (GPUs, FPGAs)

