



# Forecasting geomagnetic storm disturbances and their uncertainties using deep learning

Research project PID2020-113135RB-C33 supported by MCIN/AEI/10.13039/501100011033

Florencia Castillo [2], Daniel Conde [1], Carlos Escobar [1], Carmen García [1], Jose Enrique García [1], Veronica Sanz [1], Bryan Zaldivar [1],

[1] Instituto de Física Corpuscular (IFIC), [2] Laboratory d'Annecy de Physics des Particules (LAPP)

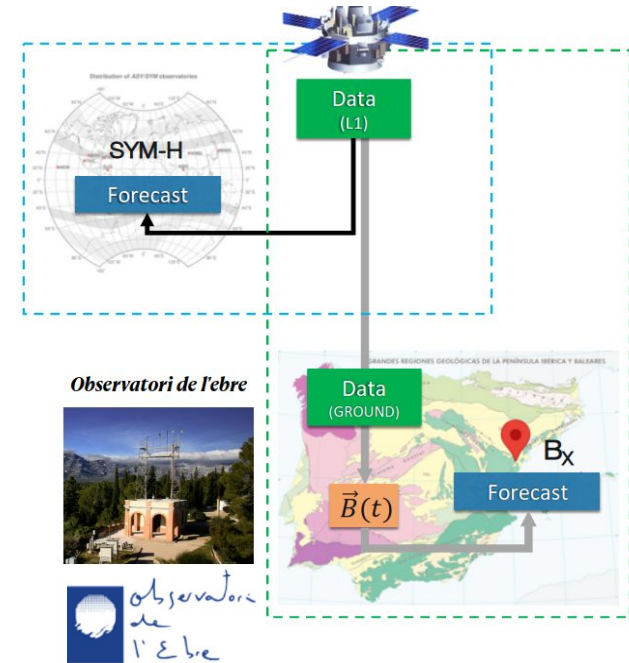
@COMCHA 2023

Oviedo, Spain

30/10/2023

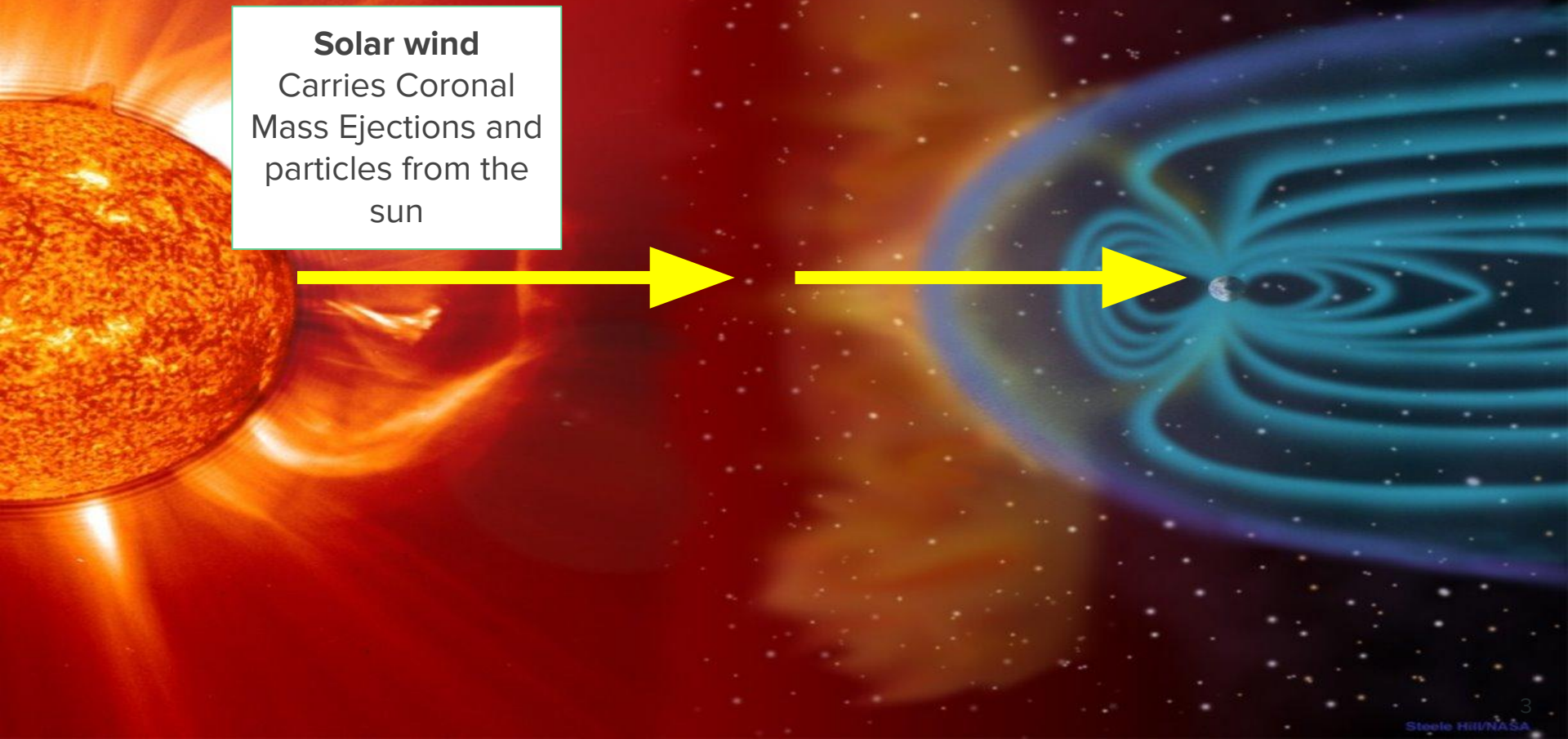
# Overview

- **Introduction**
  - Space Weather
  - Objectives
  - Data used
- **Neural network architectures:**
  - LSTM as a recursive neural network
  - Hyperparameter optimization with Optuna
  - Feature importance
- **Forecasting of SYM-H**
  - Target variable predictions
  - Comparison with [Siciliano et al](#) using [ACE data](#)
  - Uncertainty analysis
- **Forecasting of ground level magnetic field**
  - Data description
  - Target variable predictions and RMSE for test storms
- **Conclusions**



# Space Weather

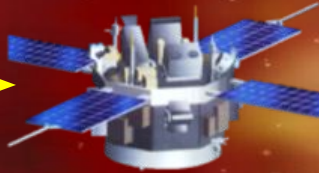
**Solar wind**  
Carries Coronal  
Mass Ejections and  
particles from the  
sun



# Space Weather

## Solar wind

Carries Coronal Mass Ejections and particles from the sun



## ACE satellite

- Located at Lagrange point  $L_1$
- Measures:
  - a. composition, speed, and direction of solar wind
  - b. Magnetic field strength and direction





# Space Weather

**Solar wind**  
Carries Coronal Mass Ejections and particles from the sun

The electric field carried by the solar wind produces changes in magnetic field across Earth's surface, resulting in **Geomagnetically Induced Currents (GICs)**

## ACE satellite

- Located at Lagrange point  $L_1$
- Measures:
  - a. composition, speed, and direction of solar wind
  - b. Magnetic field strength and direction

**Ground observatories:**  
Measure magnetic field strength and direction



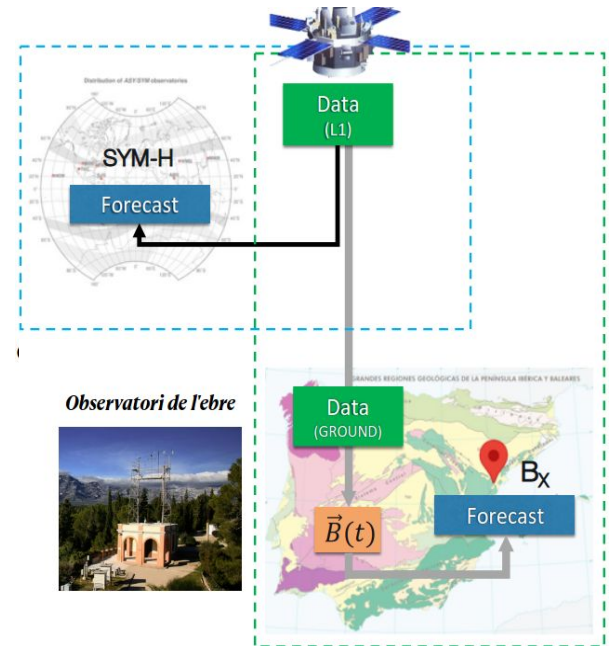
Observatoire  
de  
l'Ébre



# Effects of GICs and goals

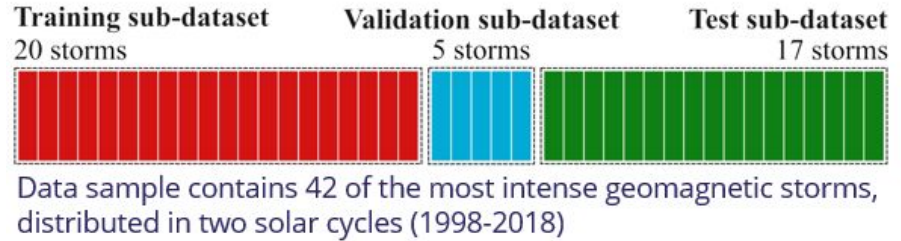
## Impacts of GICs at ground level

- Disrupt radio communication and navigation
- Impact on electric power grids
- Locations of high latitude are particularly at risk of the harmful effects of GICs.
  - Low latitude locations have had a history of GIC related events.
- The **objectives of this project** are to
  - **forecast SYM/H** (a magnetic field index) using data from ACE.
  - **forecast magnetic field at ground level** using data from ground observatories



# Input variables

- For our two models, we use the **same storms and time ranges** as [Siciliano et al](#) because we want to reproduce their results.
- These were chosen for their size and diversity in terms of quantity of peaks and shapes.



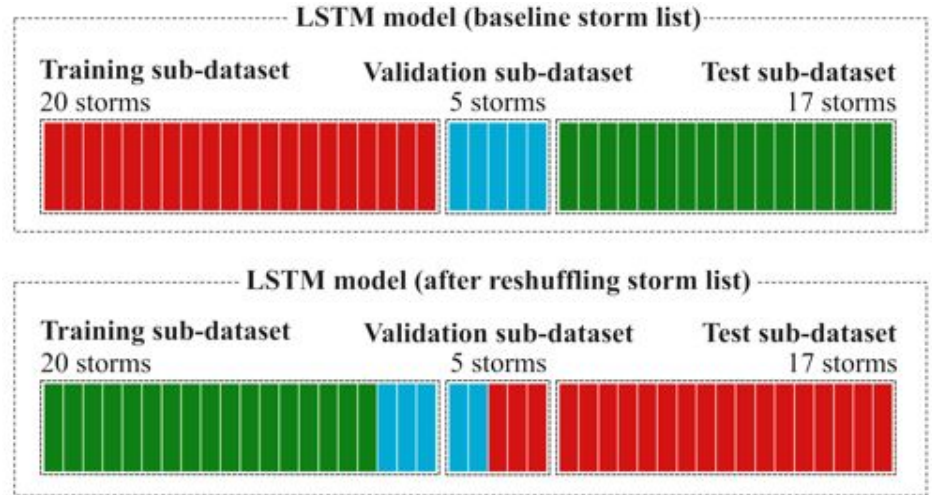
Validation			
Storm N.	Start Date	Days	SYM-H
V1	28/04/1998	10	-268
V2	19/09/1999	7	-160
V3	25/10/2003	9	-432*
V4	18/06/2015	10	-207*
V5	01/09/2017	10	-146*

Train				Test			
Label	Start Date	Days	SYM-H	Label	Start Date	Days	SYM-H
T1	14/02/1998	8	-119*	T1	22/06/1998	8	-120
T2	02/08/1998	6	-168*	T2	02/11/1998	10	-179*
T3	19/09/1998	10	-213	T3	09/01/1999	9	-111
T4	16/02/1999	8	-127*	T4	13/04/1999	6	-122
T5	15/10/1999	10	-218	T5	16/01/2000	10	-101*
T6	09/07/2000	10	-347	T6	02/04/2000	10	-315
T7	06/08/2000	10	-235*	T7	19/05/2000	9	-159*
T8	15/09/2000	10	-196*	T8	26/03/2001	9	-437
T9	01/11/2000	14	-174*	T9	26/05/2003	11	-162*
T10	14/03/2001	10	-165*	T10	08/07/2003	10	-125*
T11	06/04/2001	10	-275	T11	18/01/2004	9	-137*
T12	17/10/2001	10	-210	T12	04/11/2004	10	-394*
T13	31/10/2001	10	-320	T13	10/09/2012	25	-138
T14	17/05/2002	10	-116*	T14	28/05/2013	7	-134
T15	15/11/2003	10	-490	T15	26/06/2013	8	-110
T16	20/07/2004	10	-208	T16	11/03/2015	10	-234
T17	10/05/2005	10	-302*	T17	22/08/2018	12	-205
T18	09/04/2006	10	-110*				
T19	09/12/2006	10	-211*				
T20	01/03/2012	10	-149				

\*storms with more than one peak

# Input variables: alternative split

- 2-fold **cross validation** is used to check the **robustness** of the algorithm with respect to the train-test-validation split.
  - The performance of the model might depend on the training-validation-test split.
  - Performance metrics in the second split were not different from the first





# Training procedure

- **Two different models** are constructed: one for **L1 variables only**, and one for **Ebre variables only**
- For this research, **data** are taken from **ACE**, at the L1 Lagrange point, and from the **Ebre ground level observatory** in Spain

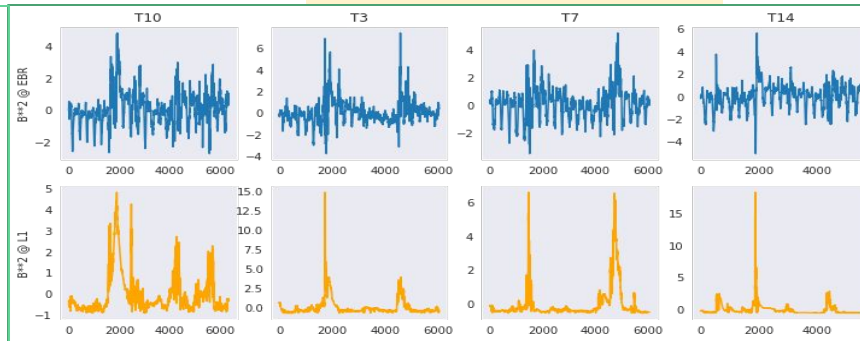
## L1 variables only

- Feature variables:
  - SYM/H
  - $B_y^2$
  - $B^2$
  - $B_z$
- Target variable
  - SYM/H (future)

## Ebre variables only

- Feature variables:
  - $B_x$
  - $B_y$
  - $B_z$
- Target variable
  - $B_x$  (future)

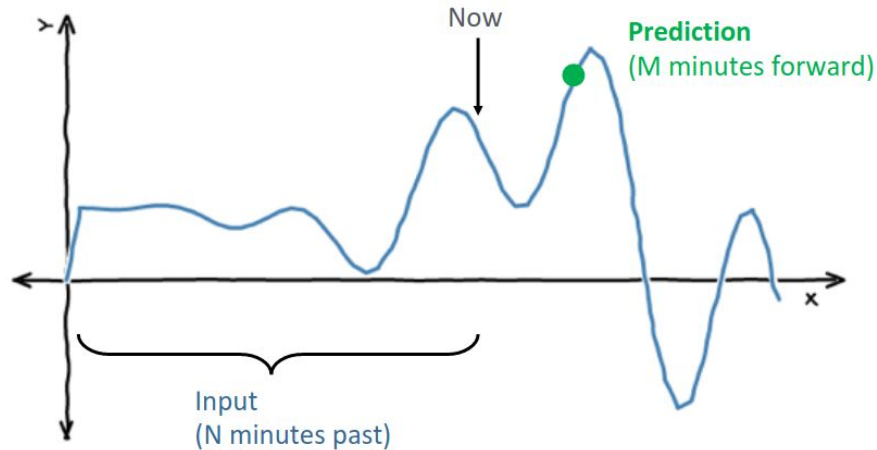
An example of how the magnetic field measurements at both locations compares for four storms:



\*values of  $B^{*2}$  go below 0 because of standardization

# Training procedure

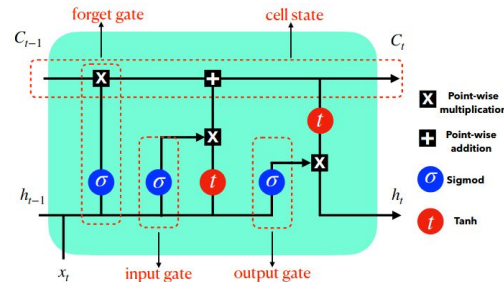
- The data has a sequence dependence because it is a time-series
- The benchmark we choose to use for forecasting is an hour
  - roughly what would be needed to respond to a GIC alert



# Choice of machine learning algorithm

- **Long Short Term Memory neural network (LSTM)** are good for data with a sequence dependence, so they are very well suited to predict time-series like ours.
  - LSTM an improvement on the standard recurrent neural network because it solves the vanishing gradient problem by making its ‘short term memory last a long time’
- **LSTM vs CNN:** Convolutional Neural Networks (CNN) show promise and good results in almost any application. However they are not better than LSTM in almost any of the present work’s framework.

For the rest of the research, **LSTM** is ultimately used



An LSTM cell

# Model Architecture

Input dims:  
(**lookback**, storm length, #  
features)

LSTM layer

Hidden dense layer

...n layers...

Hidden dense layer

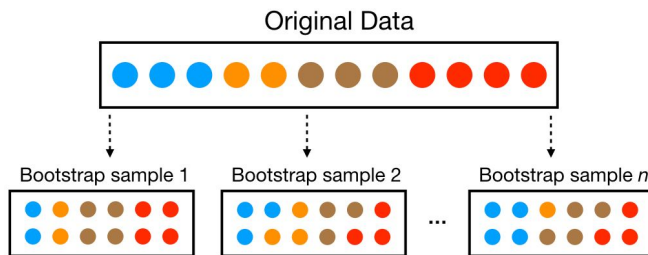
Output dense layer

Output dims:  
(storm length - lookback)

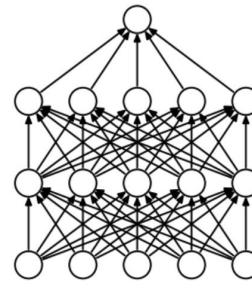


# Uncertainty estimation: bootstrap and dropout

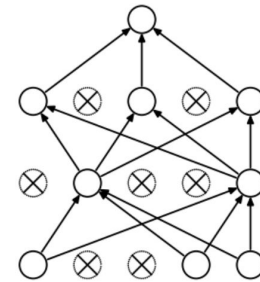
- Bayesian inference suggests that common **regularization techniques** in machine learning, like bootstrap, dropout and others, are already good at providing **uncertainty estimations** for final results and predictions.
- **Bootstrap vs dropout**
  - In the present study, **bootstrap uncertainty estimations** for predictions tended to include more of the test data around the peaks while giving larger mean square error (MSE) uncertainty.



Bootstrap procedure



(a) Standard Neural Net

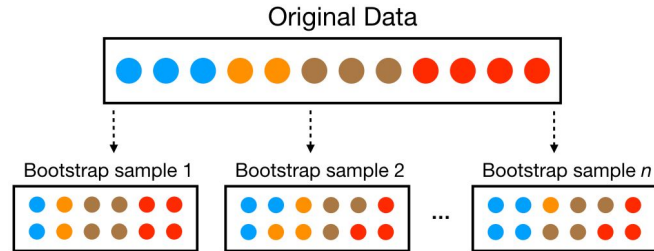


(b) After applying dropout.

Dropout in different neural network layers

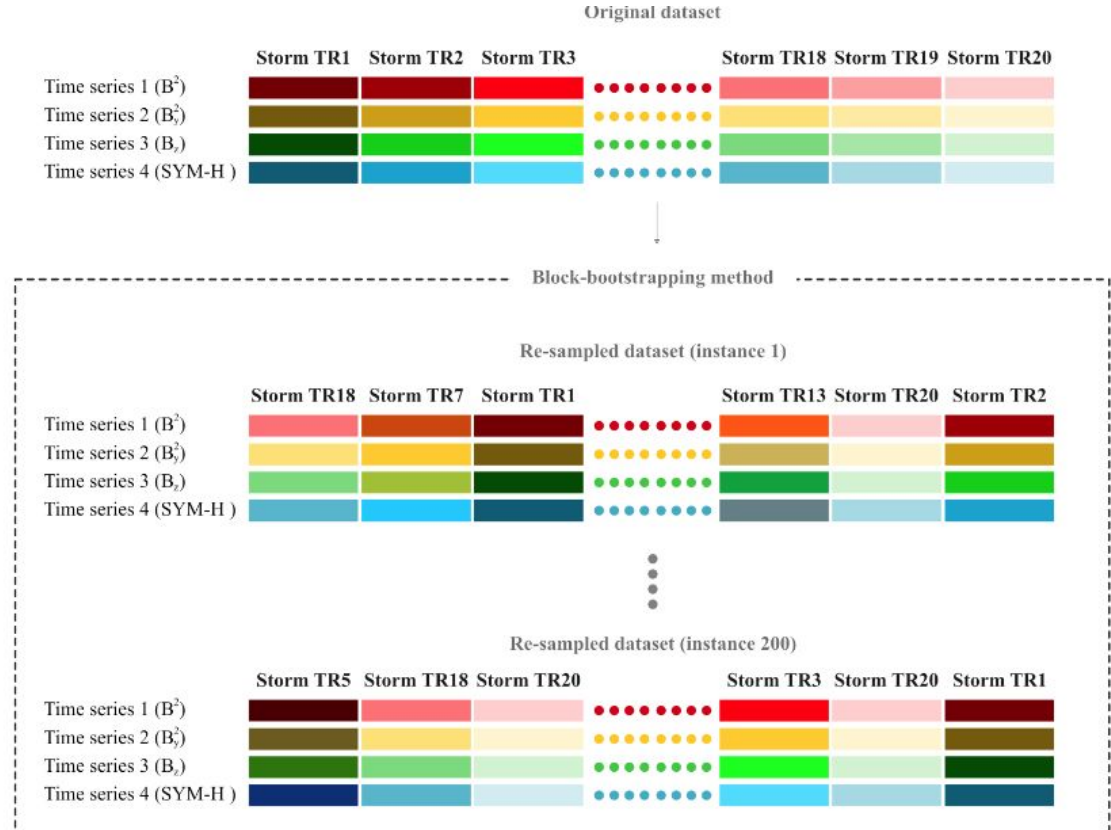
# Bootstrap and Dropout in this work

- Bootstrap,
  - Training is repeated on different samplings with replacements of the original dataset.



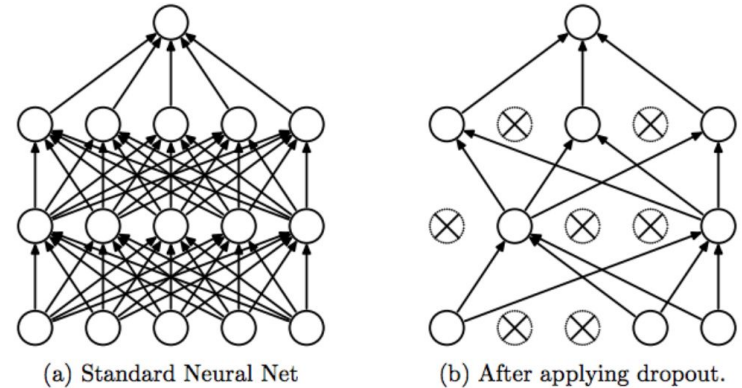
# Bootstrap and Dropout in this work

- Bootstrap,
  - Training is repeated on different samplings with replacements of the original dataset.
- Block bootstrap,
  - For time-series data, chunks of data need to be grouped in blocks to conserve time dependence



# Bootstrap and Dropout in this work

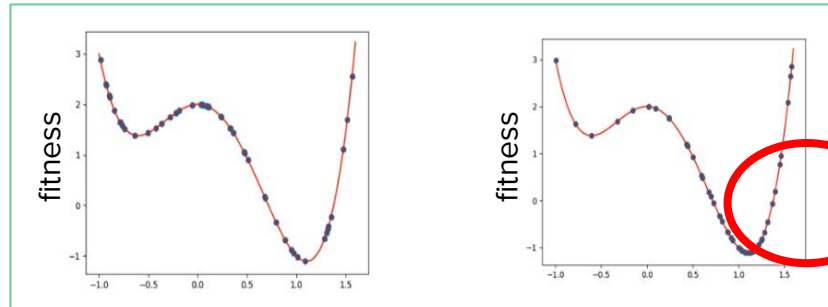
- Dropout,
  - A set proportion of random units in the neural network are turned off every time data is predicted with the model. This proportion is represented by  $p$ .
- Concrete dropout
  - Continuous approximation of the effect of dropout on the loss function can be automatically optimized for the dropout  $p$ .





# Hyperparameter optimization

- Hyperparameters are values that control the learning process. We identified four possibly important hyperparameters in our LSTM setup: **learning rate**, **look-back time**, **number of dense hidden layers** and **number of units in each hidden layer**.
- The choice of hyperparameter values is done by trial and error: one trains and tests data using different combinations of hyperparameters in their **multidimensional space** and optimises **fitness or objective function** result.
  - The possible combination of hyperparameter values is great or just infinite, so the choice of what combinations to try itself is done in different ways,

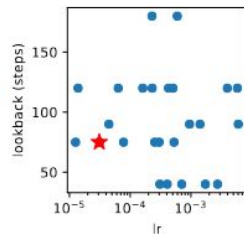
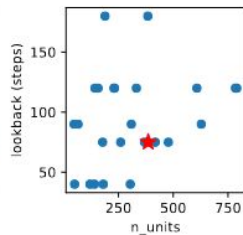
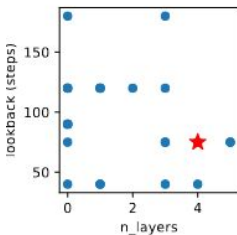
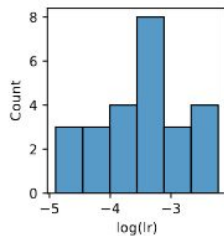
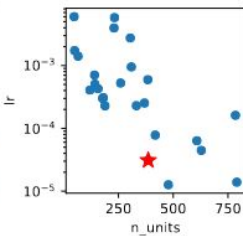
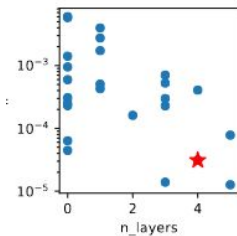
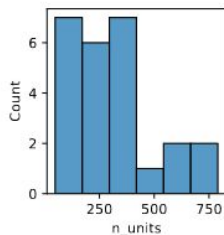
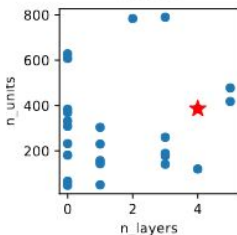
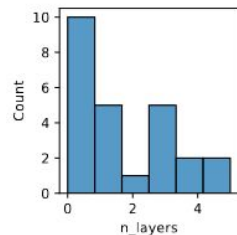


Random search

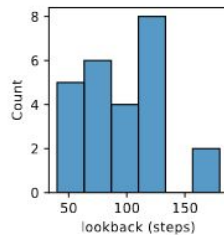
Bayesian optimization (Optuna)

Bayesian optimization identifies potential wells

# Groups of best hyperparameter sets

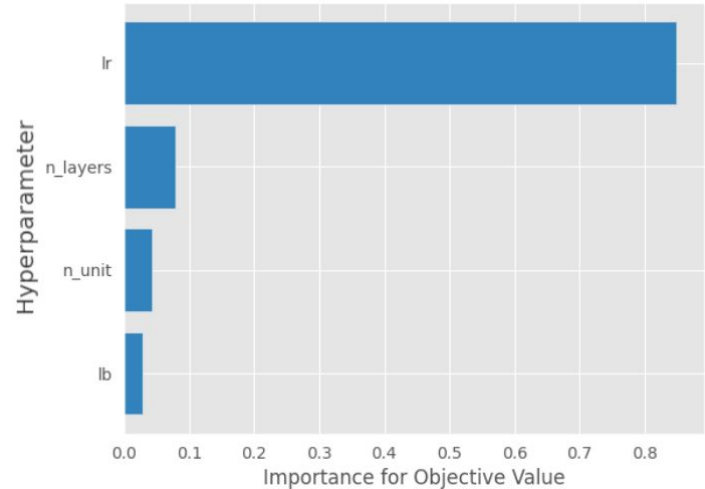


- Two trials with the same hyperparameter set can result in a value of the loss function that varies more greatly than trials with different hyperparameters.
- Trials with uncertainty intervals for the MSE estimation that overlapped with the best optimal result are labeled ‘best trials’
- These results show that some hyperparameters have optimal values at different regions, and not at a single optimal ‘well’



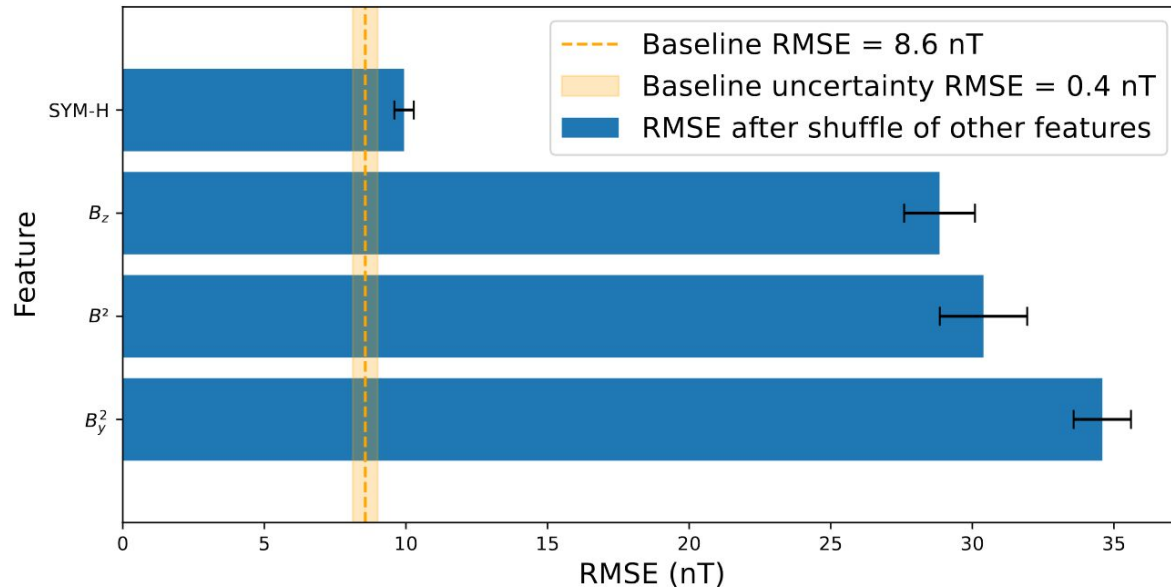
# Hyperparameter optimization results

- **Optuna** offers a systematized way of searching the multidimensional hyperparameter space through **bayesian optimization**.
  - This is more efficient than grid search or random sampling
- The graph shows the relative importance of each hyperparameter with respect to the loss function
  - The **learning rate**, for all models, is always the **most dominant contributor**.



# Feature Importance

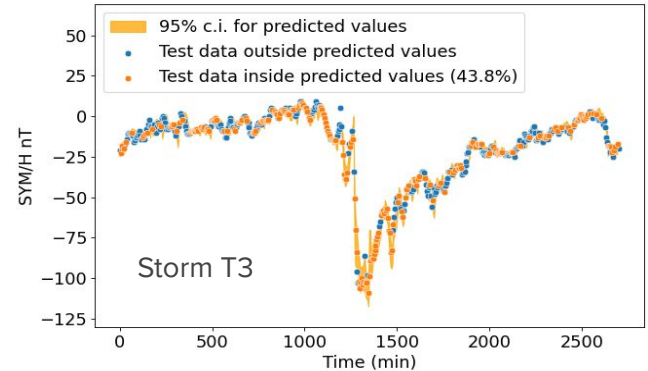
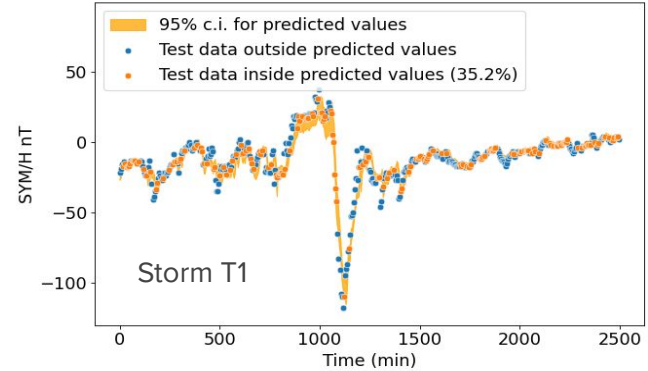
- “Inverse” feature permutation for the calculation of feature importance with respect to the loss function RMSE.
  - The indicated feature is the only one with its items unshuffled





# L1 predictions (SYM-H)

- Plots show the target variable (**SYM/H**) **prediction** with respect to time for two of the 17 test storms.
- The **orange bands** represent the **95% confidence interval** of the predicted value by our model.
- The dots represent the actual test values, orange if within the uncertainty band and blue if outside the band.
- **The percentage of predicted values** is the proportion of test values inside the uncertainty band. This was pivotal in choosing bootstrap over other ways to estimate uncertainty

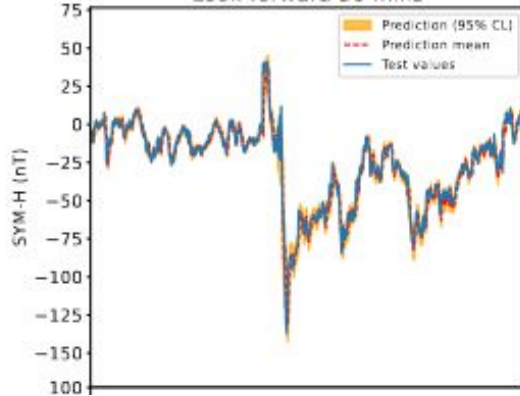


look-forward : 60 mins

Uncertainty bands: Bootstrap with 200 runs

# L1 predictions (SYM-H)

Look-forward 30 mins



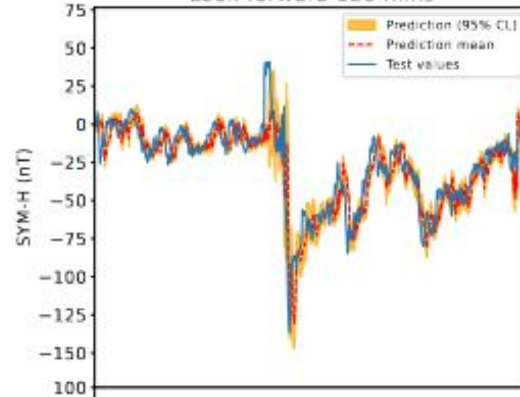
Look-forward 60 mins



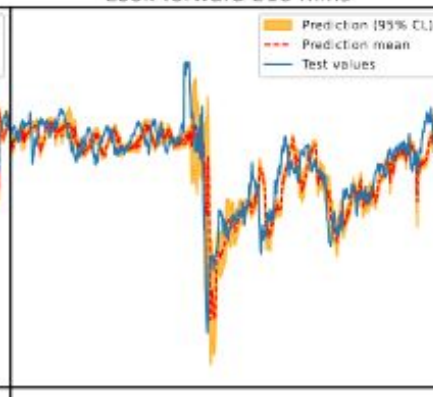
Look-forward 90 mins



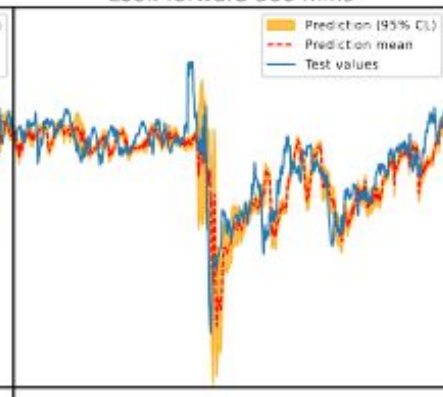
Look-forward 120 mins



Look-forward 210 mins



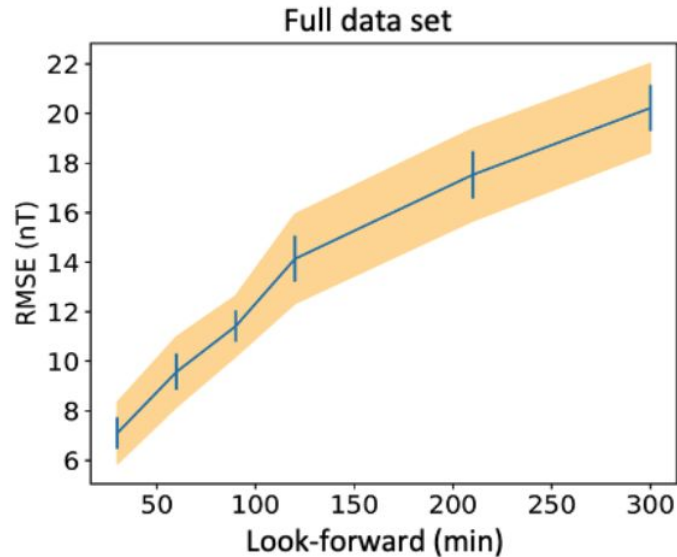
Look-forward 300 mins



- Multiple-hour predictions for storm 11.

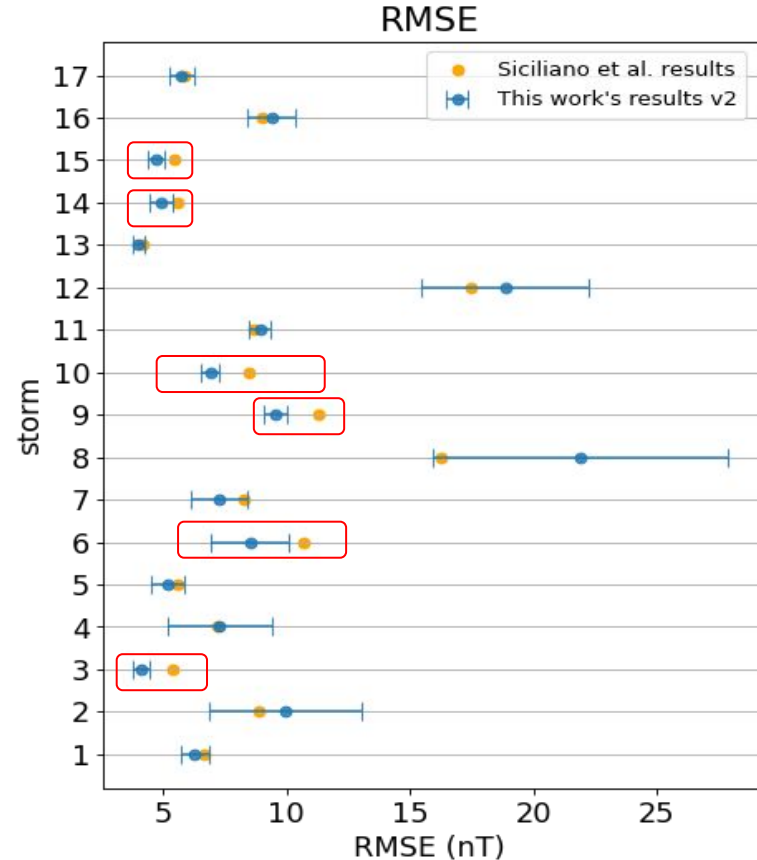
# L1 predictions (SYM-H)

- Multiple hour predictions for storm 11, storm 12 and all storms:
  - RMSE increases with respect to look-forward
  - RMSE uncertainty increases with respect to look-forward



# L1 predictions (SYM-H)

- Comparison between our prediction and the model from [Siciliano et al.](#)
- For RMSE of the target variable, all but six of the referenced values are within the 95% confidence intervals for the RMSE obtained with this work's model.
- In all of those six cases, **our present model gives RMSE values that are lower with 95% confidence.**

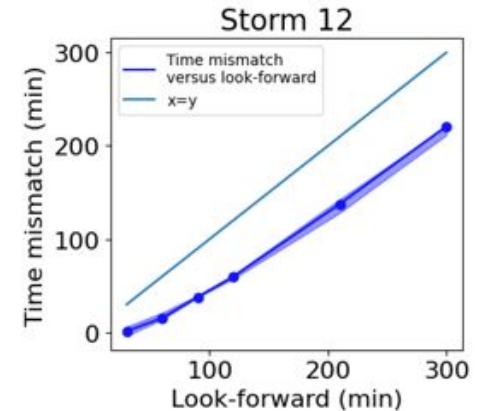
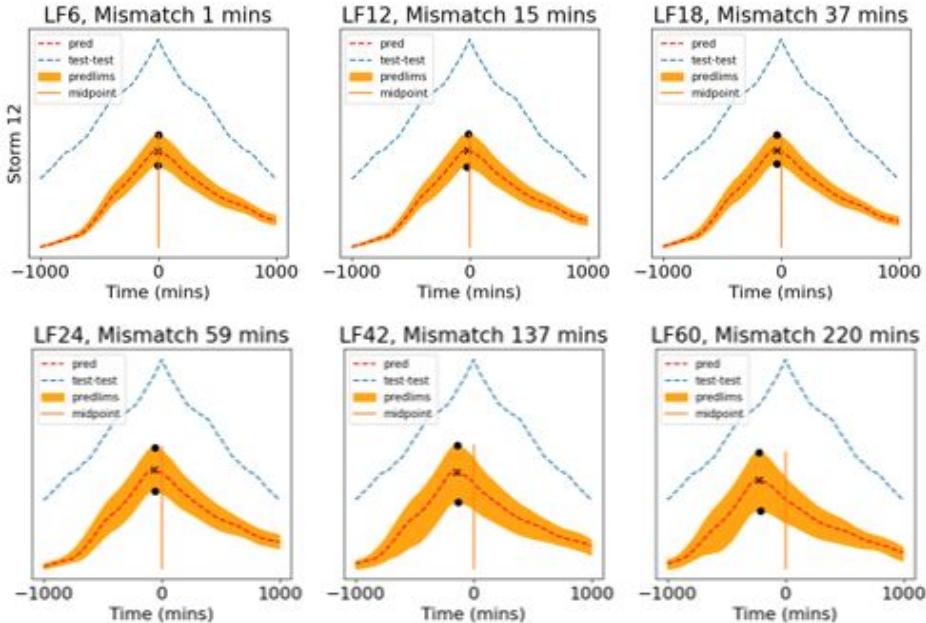




# L1 predictions (SYM-H)

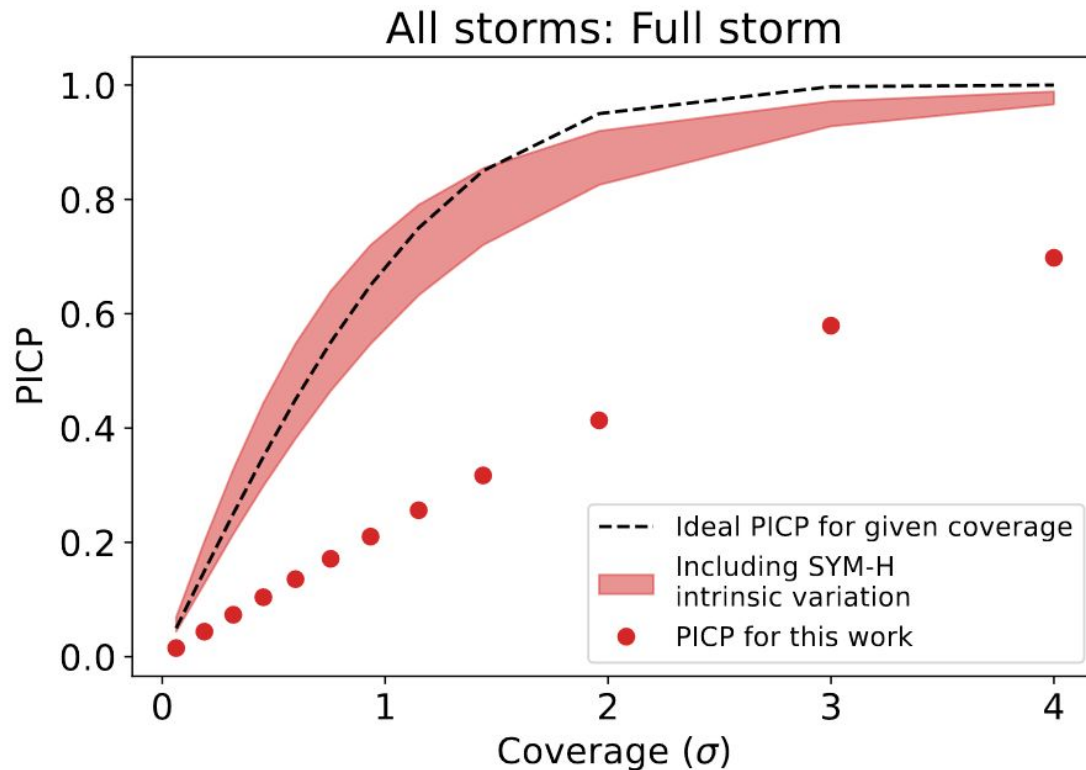
- **Cross-correlation** between prediction and true values shows a consistent time mismatch throughout all look-forward predictions

- This time mismatch is lower than the look-forward, which means some predictive power is gained



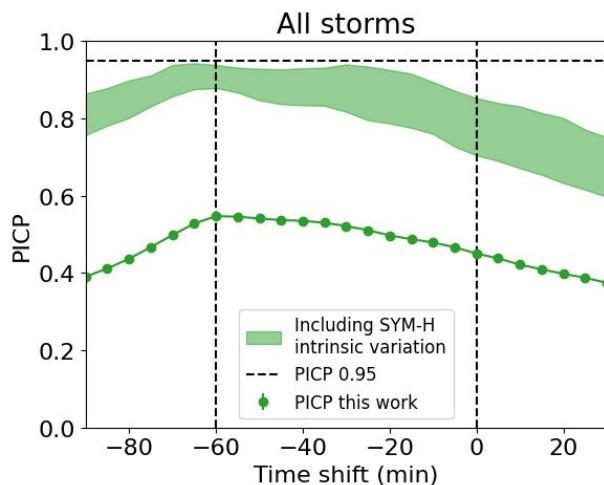
# Uncertainty analysis: intrinsic variation

- **PICP**: the prediction interval coverage probability gives us an evaluation of the uncertainty when graphed with respect of  $\sigma$
- By itself, the estimated uncertainties seems to be **underestimated**.
- By including SYM-H **intrinsic variation**, PICP approaches ideal value



# Uncertainty analysis: time mismatch

- By shifting the predictions with respect to the true values in time, we observe that the PICP improves when the predictions are shifted back.
  - This is an inherent feature of RNN architectures forecast models, and so **time mismatch is a source of systematic error.**
- This, together with the inclusion of the intrinsic variation of SYM-H might completely correct the missing uncertainty estimation.



# Future work: ground level forecasting

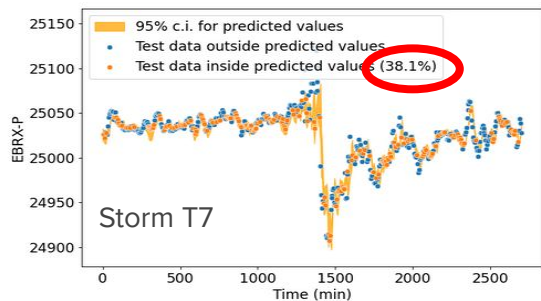
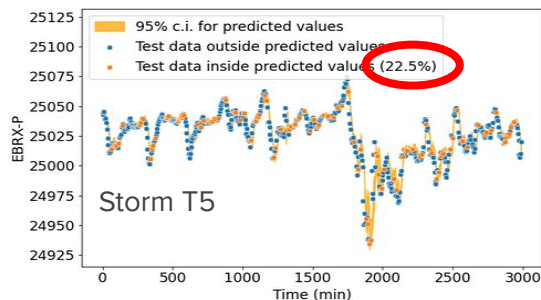
- For the **second analysis** in this work, we aim to predict **magnetic field at ground level** using data taken only from the **Ebre observatory** at ground level.
- We are interested in forecasting the horizontal geomagnetic field.  $B_x$  is chosen as the target variable. An advantage of this choice over  $B_y$  is that  $B_x$  has the larger influence on the appearance of GICs.



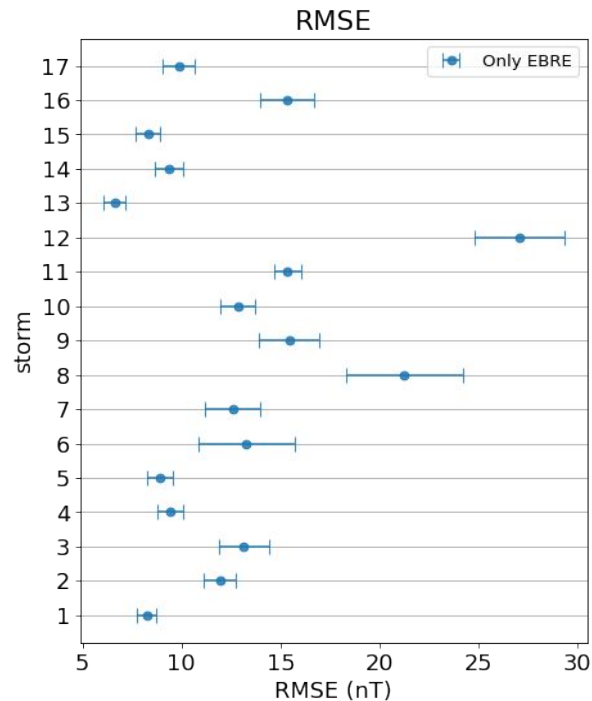
# Preliminary results: Ebre predictions

- We obtain an analogous **model for ground level prediction**, which gave a forecasting that contained less of the data and bigger RMSE in nT than the SYM/H model in comparison

Uncertainty bands: Bootstrap  
with 200 runs



look-forward : 60 mins



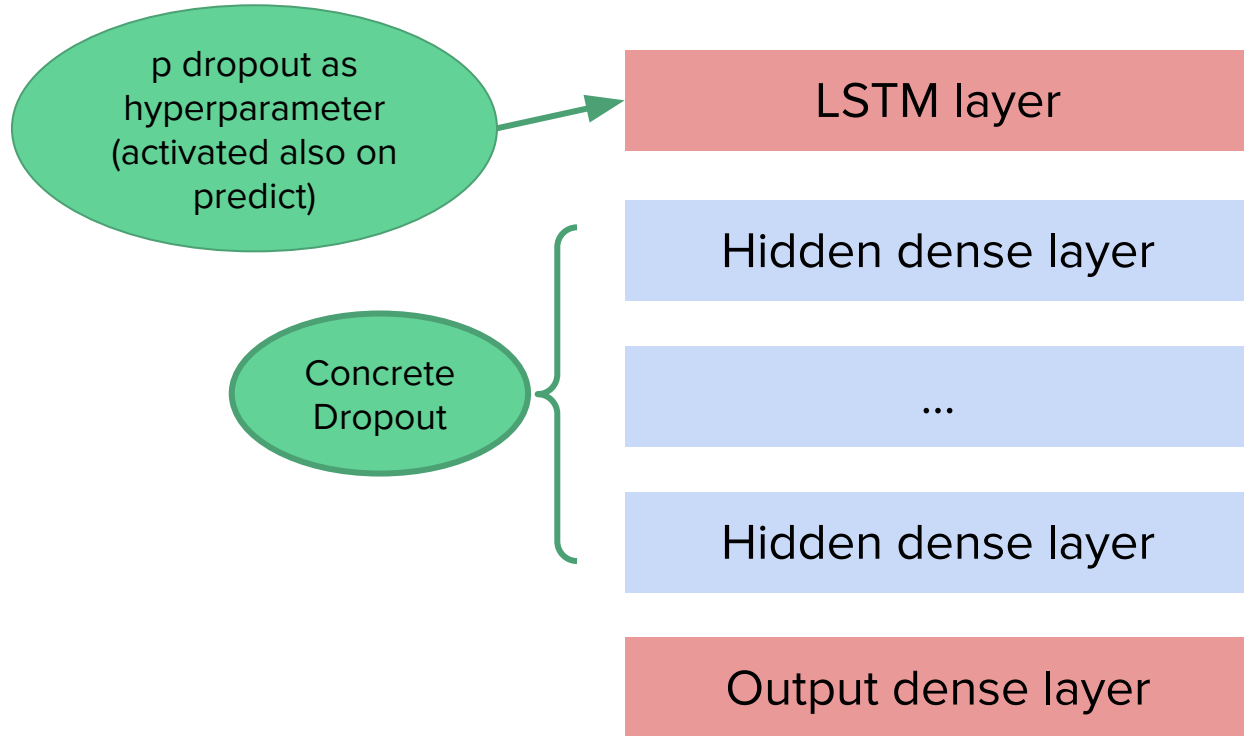
# Conclusions

- We obtained a **forecast model** for **SYM/H** which features **uncertainty** measures via **bootstrap** and dropout.
- **RMSE** results for L1 are either **compatible** with [Siciliano et al](#) in most cases or **better** in the ones that are statistically different. The improvement can be mainly explained by the **hyperparameter optimization** via Optuna and the betterment of the initial dataset.
- We observe that both **RMSE values and their uncertainties grow with higher look-forward values**, making forecasting increasingly more unreliable.
- Considering an ideal PICP **uncertainty values appear to be underestimated**. The intrinsic variation of SYM-H and the inherent systematic time mismatch of RNN architectures may explain this underestimation.
- We obtain an analogous **model for ground level prediction**, which gave a forecasting that contained less of the data (smaller PICP) and bigger RMSE than the SYM/H model.

**Thank you**



# Model Architecture for Dropout



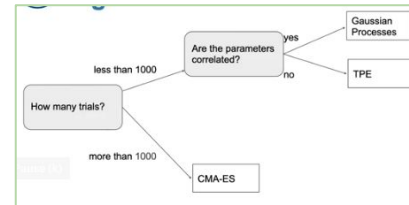
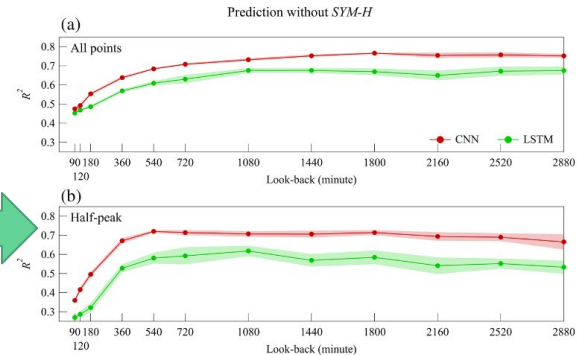
# Identified hyperparameter

- Hyperparameters are values that control the learning process. We identified four hyperparameters in our LSTM setup:
  - **Learning rate.** In this work, this value changes in a triangular cycle throughout epochs, and the value to be optimized is the central value of the cycle, with its width given by the standard deviation of the chosen trial.
  - **Look-back,** relevant during the preparation of data for LSTM algorithm.
  - **Number of dense neural layers** after the LSTM layer and before the output dense layer.
  - **Number of units** in the inner dense layers. We simplified this to mean the same number for all dense layers.

# Hyperparameter search

- The choice of what combinations to try itself is done in different ways:
  - Grid search
  - Random Sampling
  - [Optuna: Bayesian optimization flavour called "Tree-structured Parzen Estimator" \(TPE\)](#)
  - Genetic algorithm
  - Etc...
- Optuna offers different search algorithms. The one chosen was the default one, TPE, as we didn't want to do more than 1000 trials and the hyperparameters are [almost] uncorrelated.

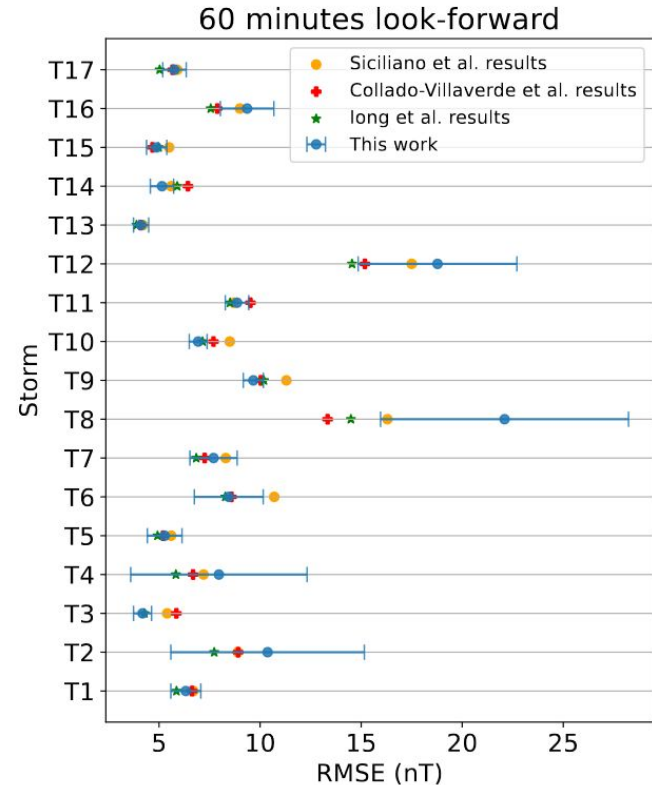
An example of a 1 hyperparameter grid search in [Siciliano et al](#)



Optuna cheat sheet taken from [tutorial video](#)

# Comparison of RMSE with other references

- Newer works have also reproduced Siciliano et al results, with considerable improvements
- An important observation is their inclusion of other ACE satellite variables that we chose to omit
- Our data is compatible up to 2 sigma with their results, except in storms T17, T16, T12 and T8 where they outperform us.



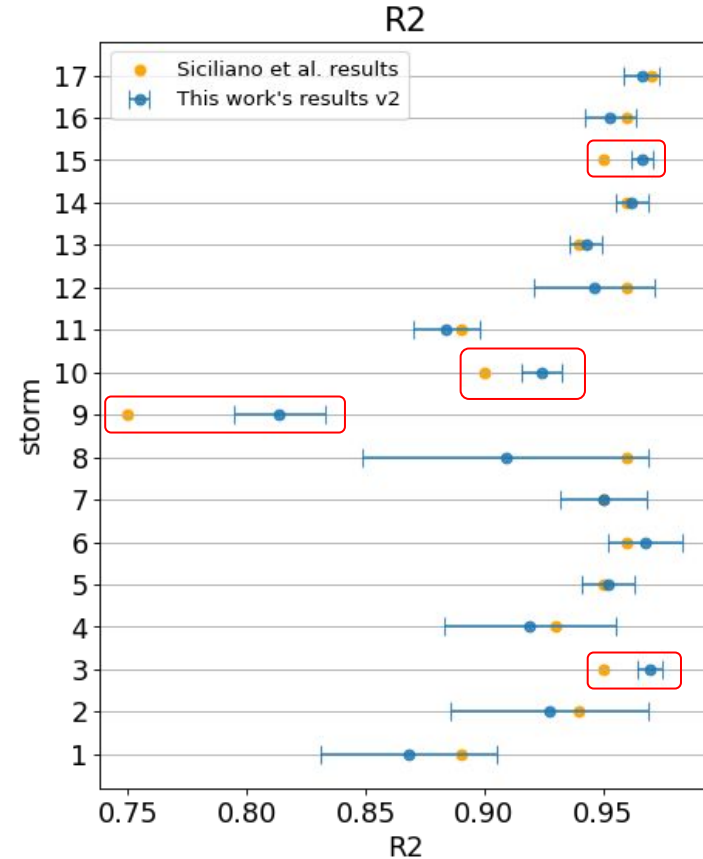
# Ground level forecasting

- Data from the Ebro in the 90's and early 2000s had many missing observations due to a nearby railway. The team at Ebro complemented this data by referring to the San Pablo de los Montes-Toledo observatory to compare and interpolate in case of gaps in the Ebro observations.

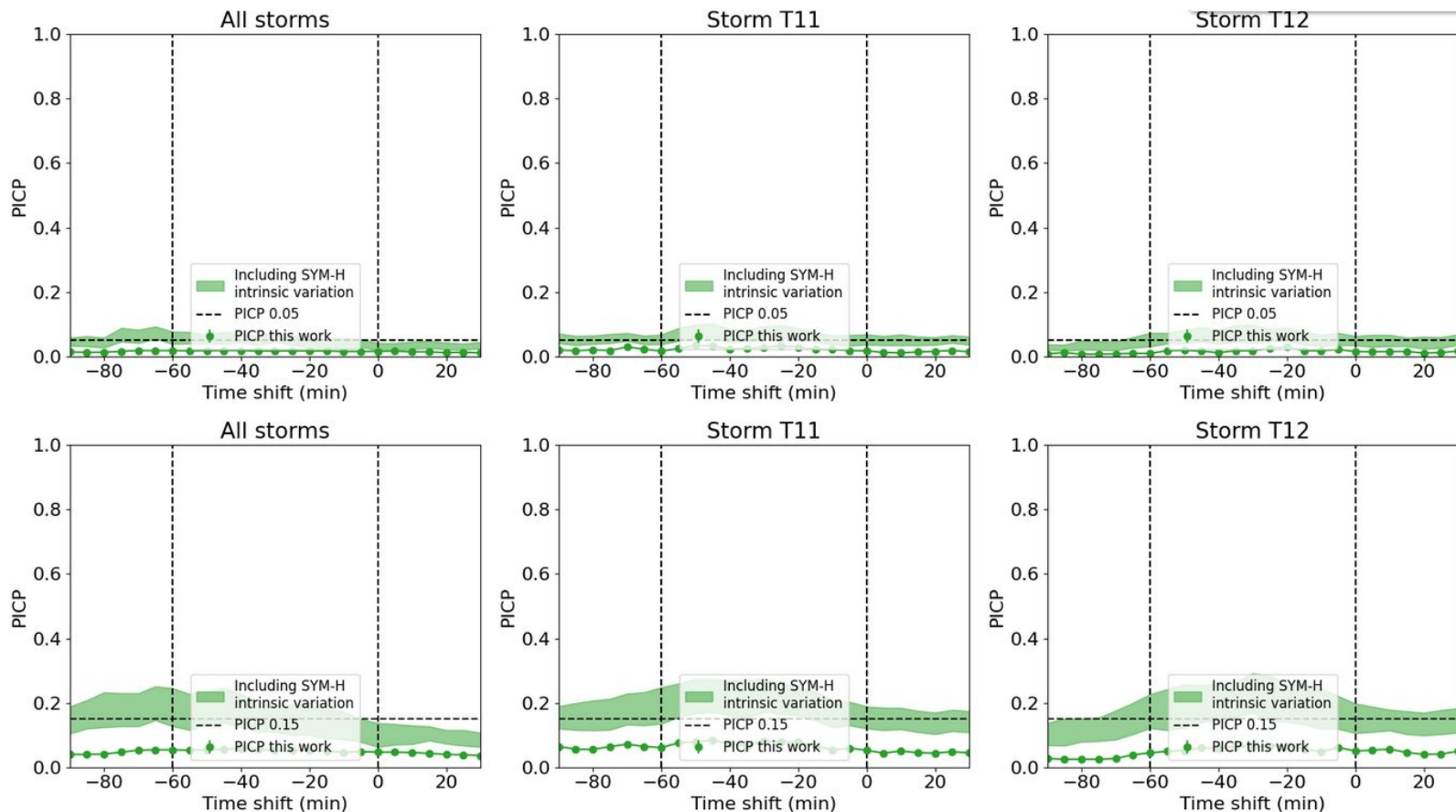


# This work's $R^2$ results vs Siciliano

- For the coefficient of determination,  $R^2$ :
  - 13 of the referenced values are within our 95% confidence intervals
  - 4 of the referenced values are below our 95% confidence intervals

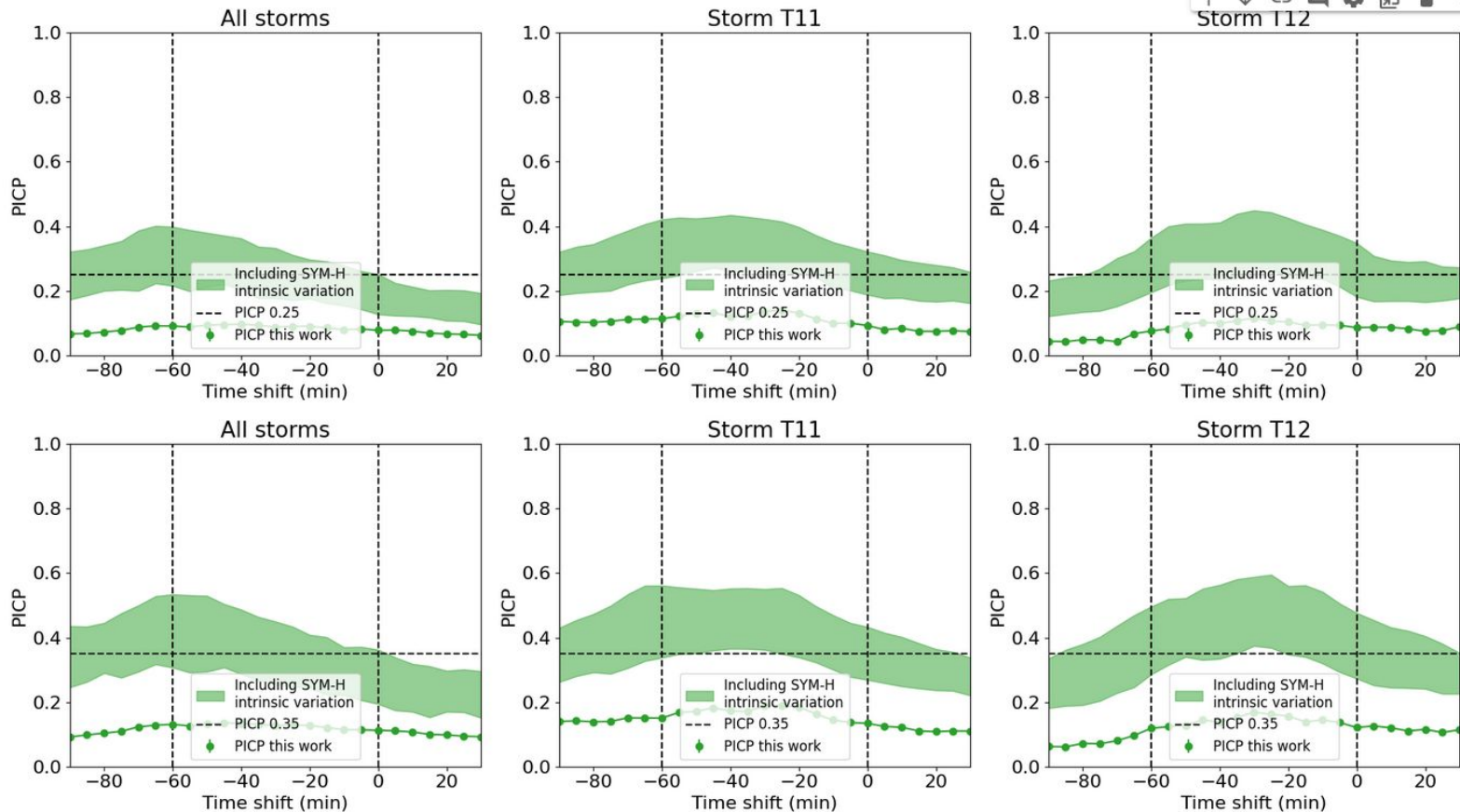


# PICP with time mismatch for other coverage values

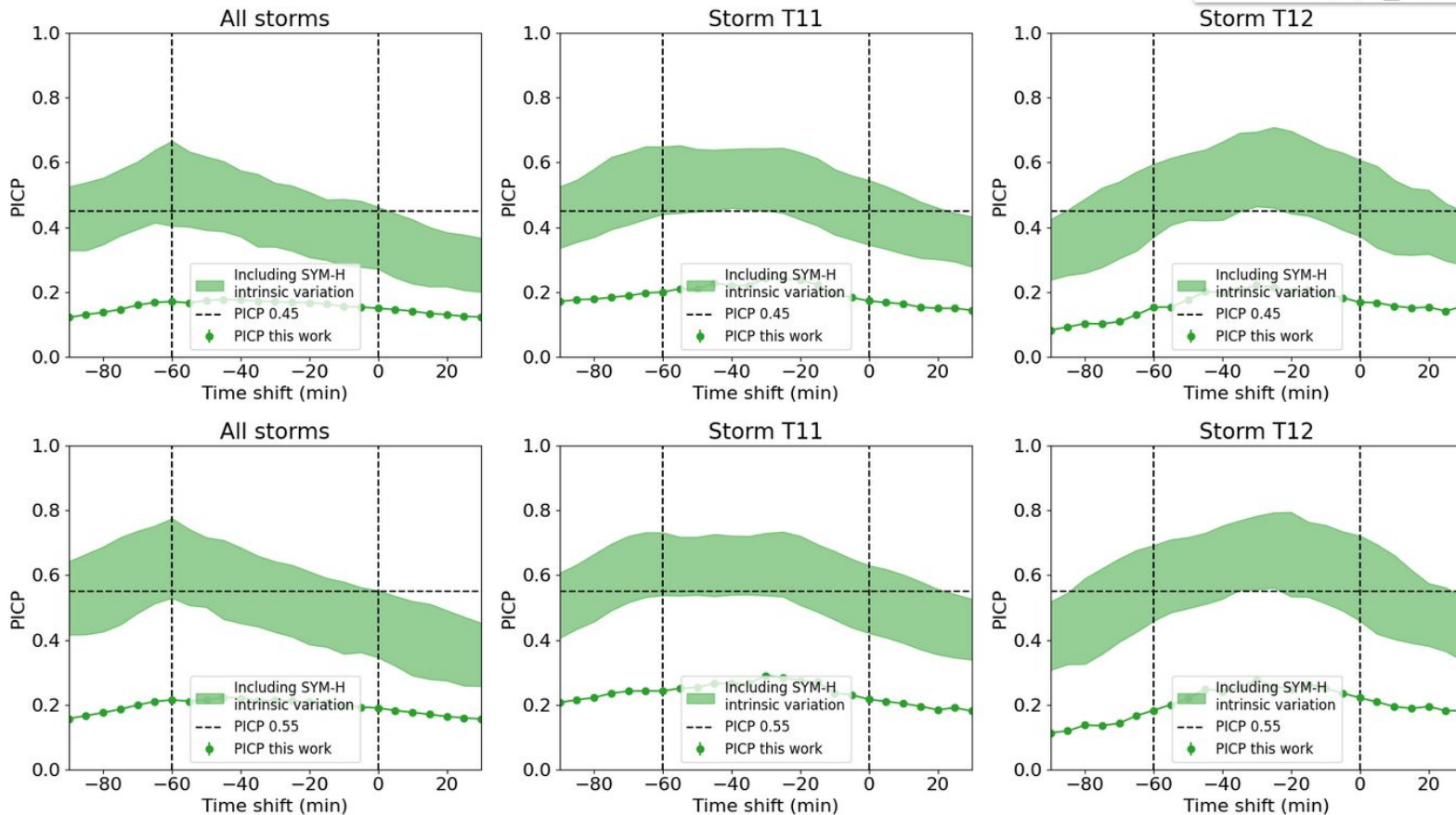




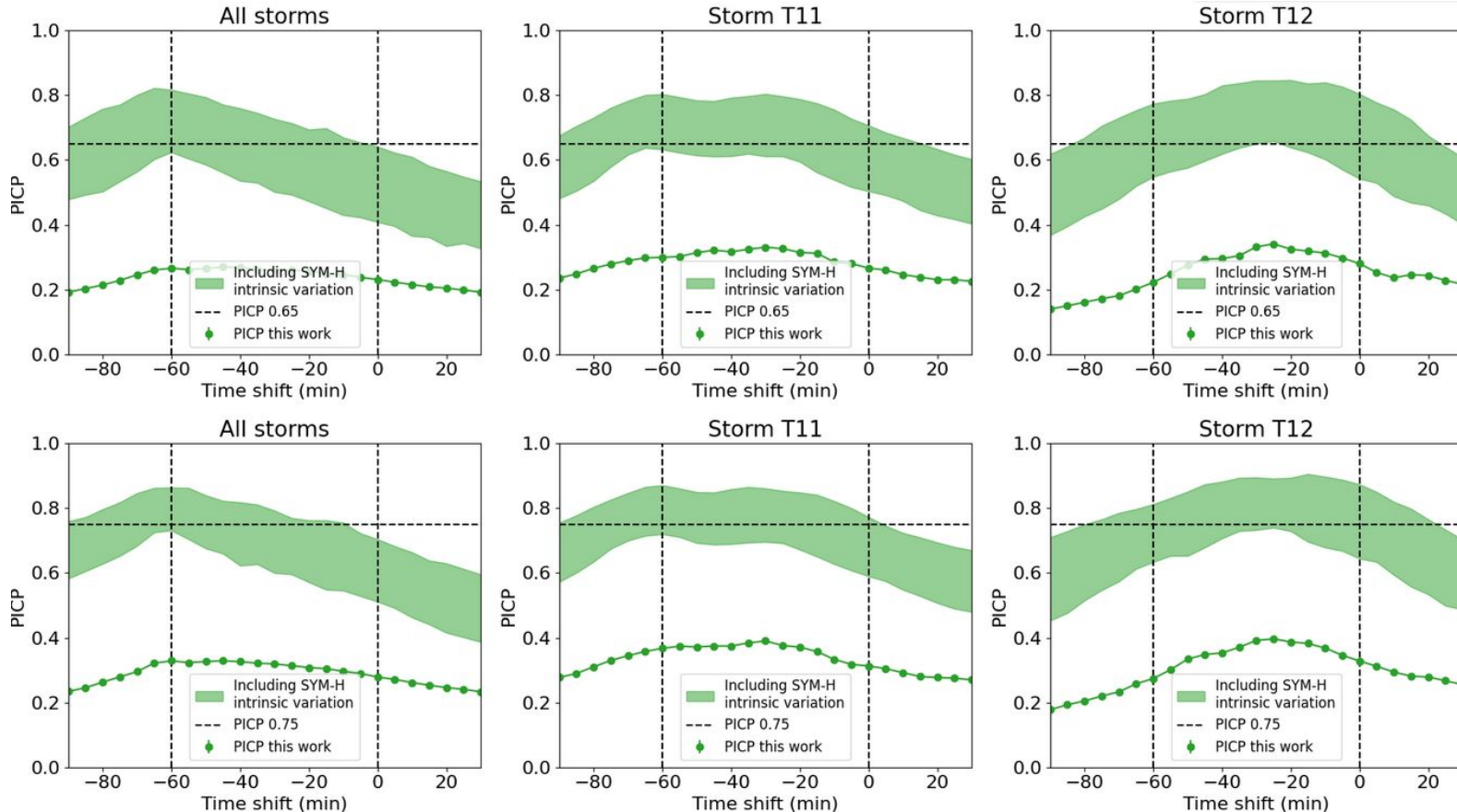
# PICP with time mismatch for other coverage values



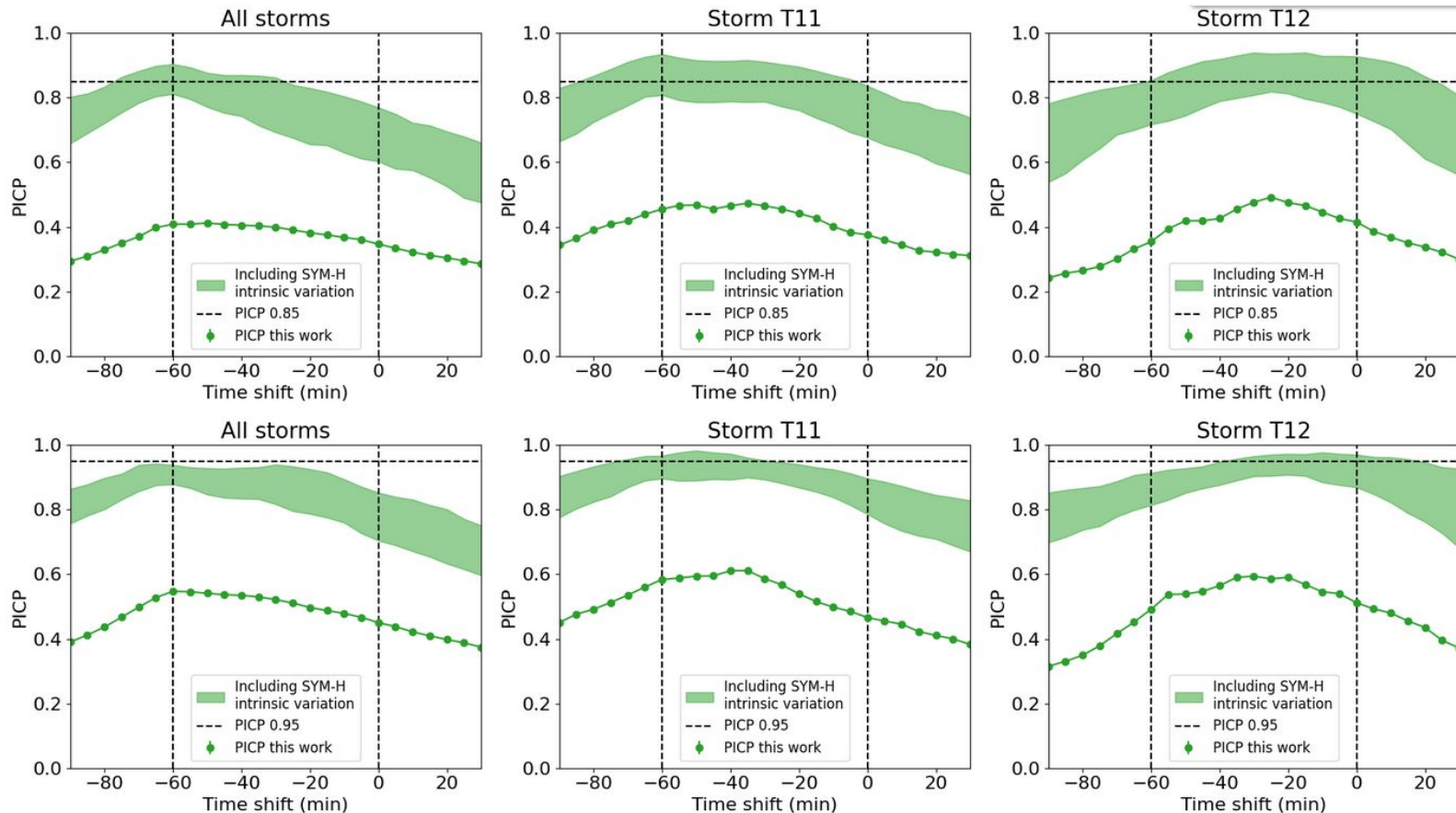
# PICP with time mismatch for other coverage values



# PICP with time mismatch for other coverage values



# PICP with time mismatch for other coverage values



# Next steps

Prediction of derivative of SYM/H.

- Different time derivative calculation methods
- More noise and tighter look-forward window

